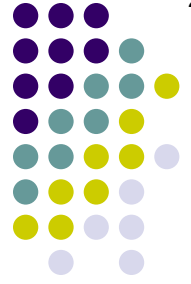


# Aberrations

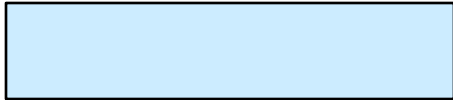


- *Aberrations* are phenomena that degrade the quality of the image formed by an optical system

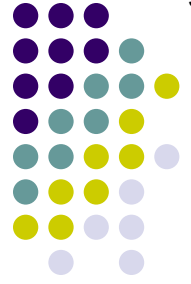
# Aberrations



- *Aberrations* are phenomena that degrade the quality of the image formed by an optical system
- Degradation results when light rays from a given object-point



# Aberrations



- *Aberrations* are phenomena that degrade the quality of the image formed by an optical system
- Degradation results when light rays from a given object-point **fail to form a single sharp image-point**

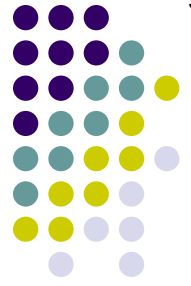


# Aberrations

- *Aberrations* are phenomena that degrade the quality of the image formed by an optical system
- Degradation results when light rays from a given object-point fail to form a single sharp image-point
- *It's important to recognize that aberrations are the rule, not the exception*
  - Aberration-free vision essentially never occurs

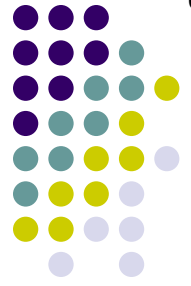
# Aberrations

- Some aberrations are attributable to corrective lenses

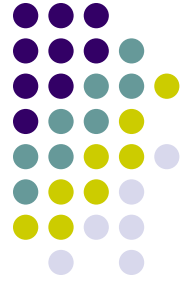


# Aberrations

- Some aberrations are attributable to corrective lenses
- Others are intrinsic to the eye itself

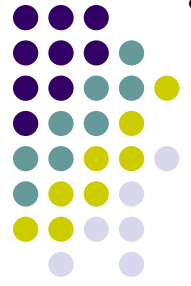


# Aberrations



- Some aberrations are attributable to corrective lenses
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  - Three familiar forms:
    - 
    - 
    -

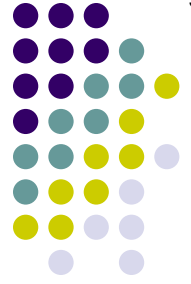
# Aberrations



- Some aberrations are attributable to corrective lenses
- Others are intrinsic to the eye itself
  - Three familiar forms:
    - Spherical error (myopia/hyperopia)
    - Cylinder (astigmatism)
    - Chromatic aberration



# Aberrations

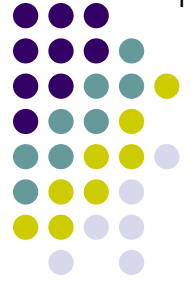


- Back in the day, only three aberrations were recognized by clinicians:
  - 1)
  - 2)
  - 3)

# Aberrations

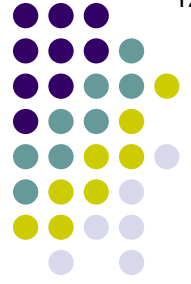


- Back in the day, only three aberrations were recognized by clinicians:
  - 1) Spherical error (ie, myopia/hyperopia)
  - 2) Regular astigmatism
  - 3) Irregular astigmatism



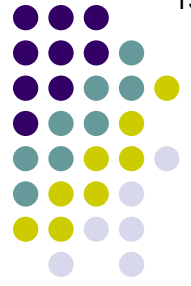
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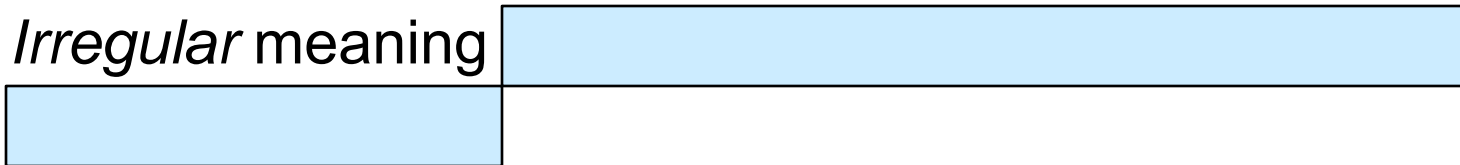
# Aberrations

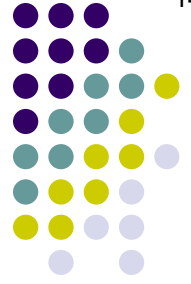
- Back in the day, only three aberrations were recognized by clinicians:
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    - *Regular* meaning 'that which can be corrected with cylindrical lenses'
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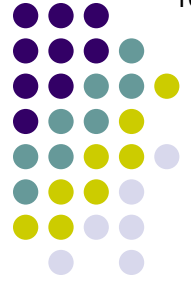
3) Irregular astigmatism

- *Irregular* meaning 'that which **can't** be corrected with cylindrical lenses'

Essentially, *irregular astigmatism* was a wastebasket term for aberrations that:

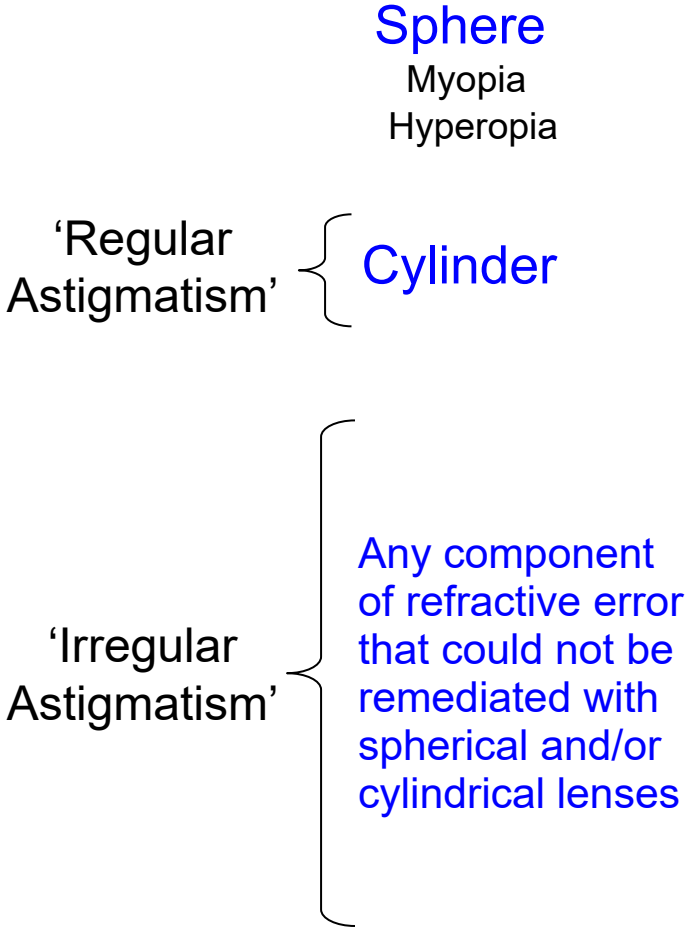
1) could not be measured in the clinic; and

2) could not be corrected (by glasses) even if they had been measurable



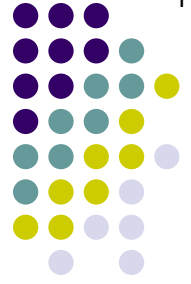
# Aberrations

## *Old Lingo*



*This is how we thought of aberrations back in the day*





# Aberrations

- two words did away with the first problem

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# Aberrations: Wavefront Analysis



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# Aberrations: Wavefront Analysis



- *Wavefront analysis* did away with the first problem
  - Allows clinicians to identify/quantify many of the refractive problems previously consigned to the irregular-astigmatism wastebasket

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  - Several different technologies for measuring the wavefront have been developed, but one dominates current clinical practice:

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# Aberrations: Wavefront Analysis



*How does the Hartmann-Shack wavefront sensor (HSWS) work?*

current clinical practice:

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# Aberrations: Wavefront Analysis



*How does the Hartmann-Shack wavefront sensor (HSWS) work?*

Essentially, by reversing the function of the eye. Instead of treating the eye as a light-gathering device, it treats the eye as a light-**emitting** device. It then analyzes the wavefront of light emitted by the eye with respect to how 'pure' (ie, how uniform and free of warpage) it is.

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*How does the HSWS turn the eye into a light-emitting device?*

By firing a low-power laser into the eye that reflects off the fovea. The reflected light then passes through the focusing structures of the eye (ie, the lens and cornea), and leaves the eye.

current clinical practice:

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# Aberrations: Wavefront Analysis



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*OK, so the HSWS turns the eye into a flashlight of sorts. How does this allow for identification and quantification of aberrations?*

The HSWS contains an array of sensors that measure the 'emitted' light. If the refracting structures of the eye were perfect (ie, aberration-free), the wavefront of the emitted light would be perfectly flat--any deviation from flatness represents aberration, which in turn reflects imperfections in the eye's focusing structures.

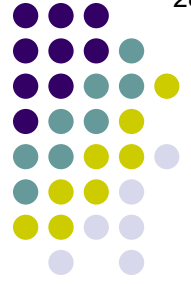
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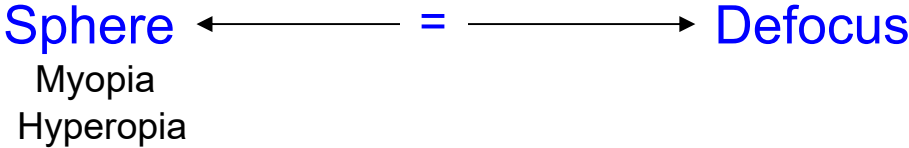


# Aberrations

*Old Lingo*

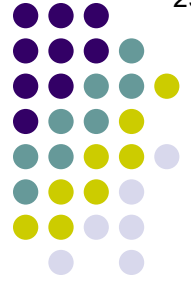
*New Lingo*

(from wavefront analysis)



'Regular Astigmatism' { Cylinder

'Irregular Astigmatism' { Any component of refractive error that could not be remediated with spherical and/or cylindrical lenses

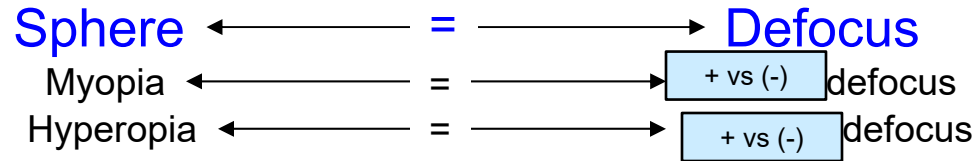


# Aberrations

## Old Lingo

## New Lingo

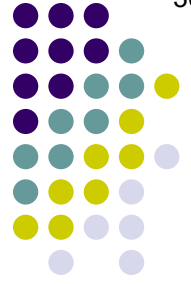
(from wavefront analysis)



'Regular Astigmatism' { Cylinder

'Irregular Astigmatism' { Any component of refractive error that could not be remediated with spherical and/or cylindrical lenses

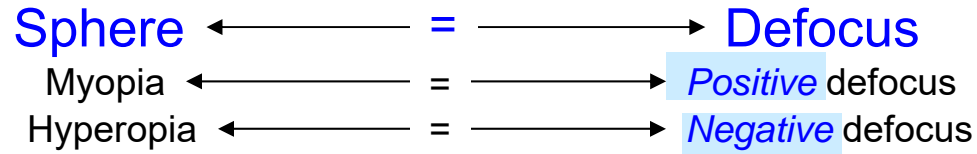
# Aberrations



## Old Lingo

## New Lingo

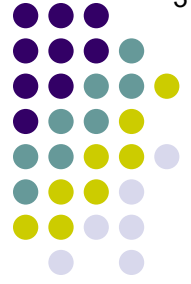
(from wavefront analysis)



To remember which is which, note that each is the same as the **error lens** responsible for each status

'Regular Astigmatism' { Cylinder

'Irregular Astigmatism' { Any component of refractive error that could not be remediated with spherical and/or cylindrical lenses

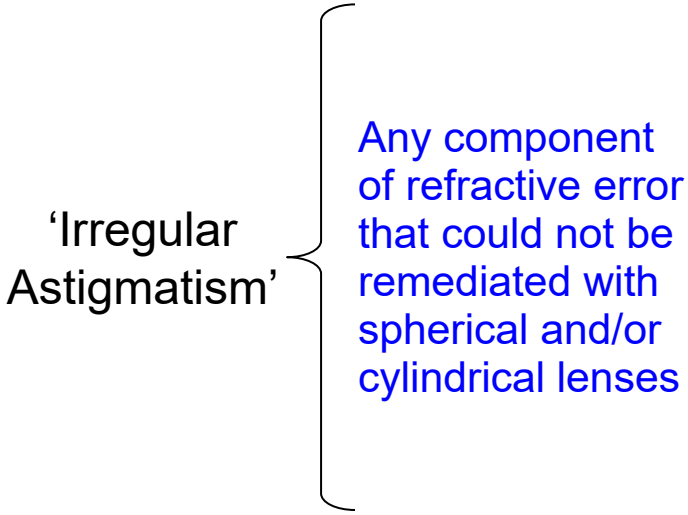
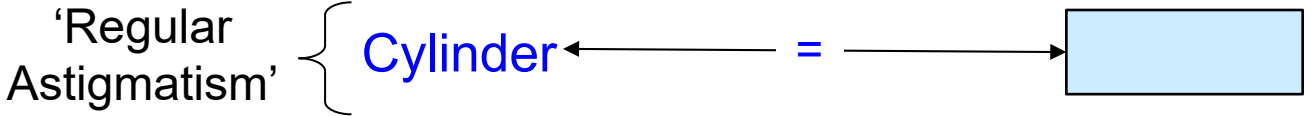
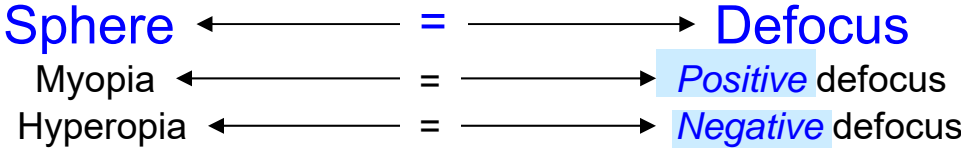


# Aberrations

## Old Lingo

## New Lingo

(from wavefront analysis)



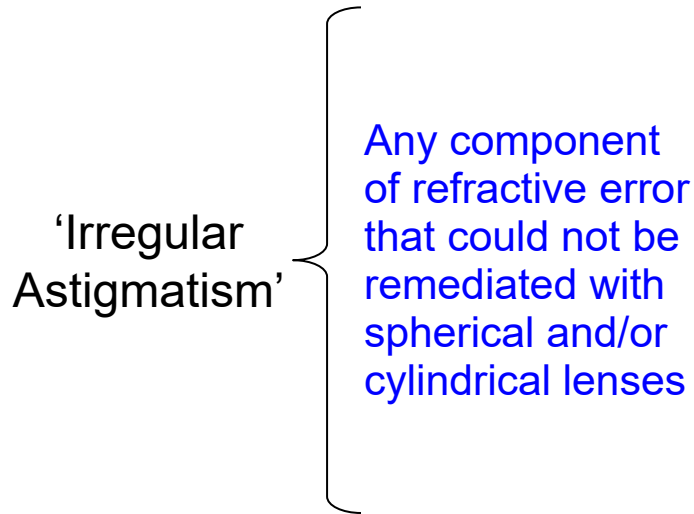
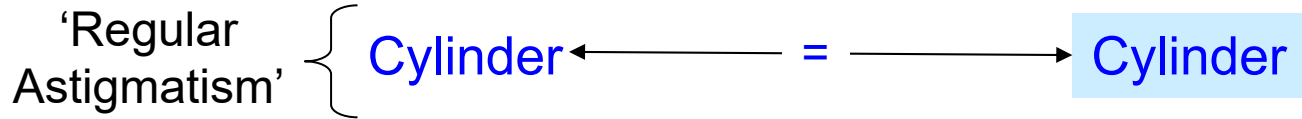
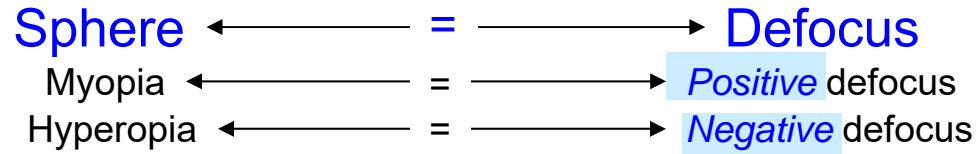


# Aberrations

## Old Lingo

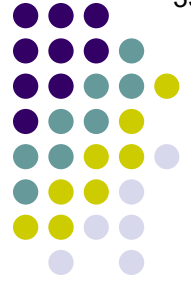
## New Lingo

(from wavefront analysis)





# Aberrations



## Old Lingo

## New Lingo

(from wavefront analysis)

Sphere ← = → Defocus  
Myopia ← = → Positive defocus  
Hyperopia ← = → Negative defocus

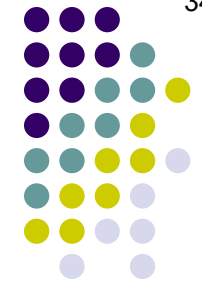
'Regular Astigmatism'

Cylinder ← = → Cylinder

'Lower-order Aberrations'

'Irregular Astigmatism'

Any component of refractive error that could not be remediated with spherical and/or cylindrical lenses

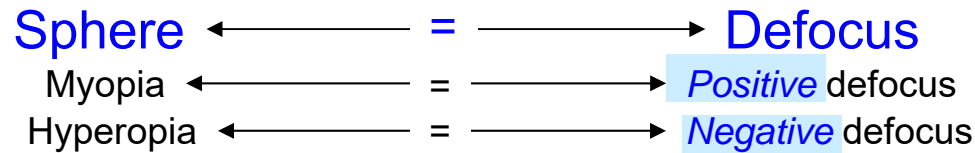


# Aberrations

## Old Lingo

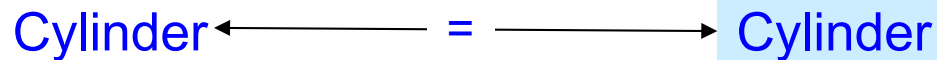
## New Lingo

(from wavefront analysis)



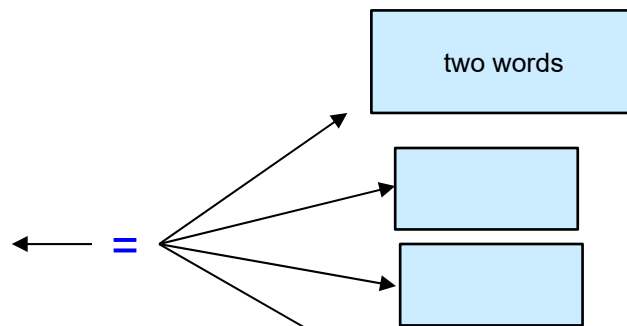
‘Lower-order Aberrations’

‘Regular Astigmatism’

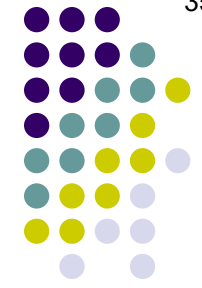


‘Irregular Astigmatism’

Any component of refractive error that could not be remediated with spherical and/or cylindrical lenses



(Others, less clinically relevant)

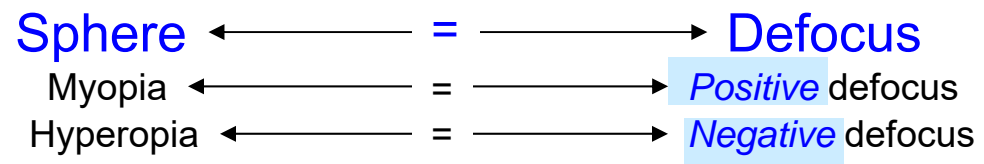


# Aberrations

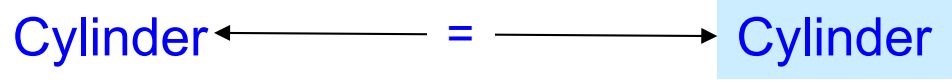
## Old Lingo

## New Lingo

(from wavefront analysis)



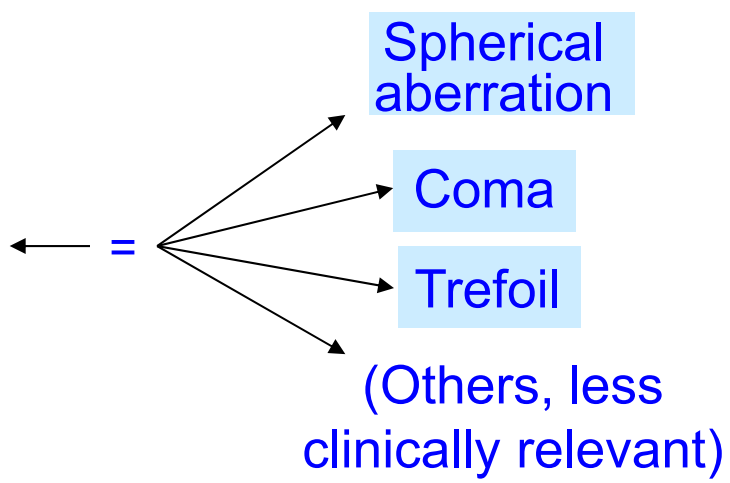
'Regular Astigmatism'



'Lower-order Aberrations'

'Irregular Astigmatism'

Any component of refractive error that could not be remediated with spherical and/or cylindrical lenses



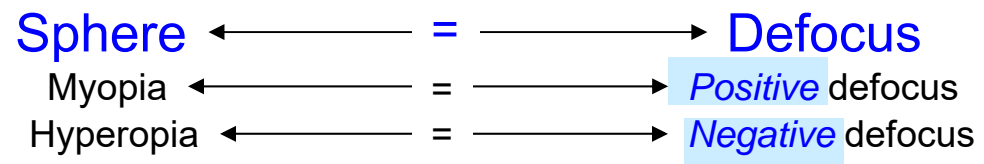


# Aberrations

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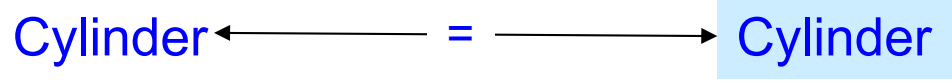
## New Lingo

(from wavefront analysis)



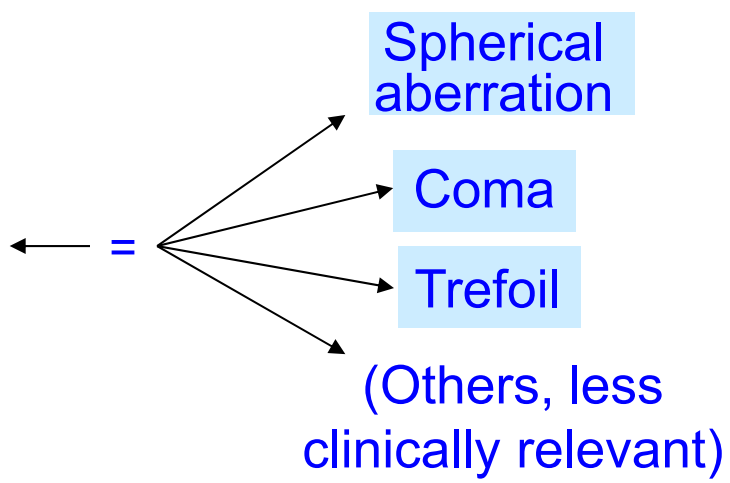
‘Lower-order Aberrations’

‘Regular Astigmatism’

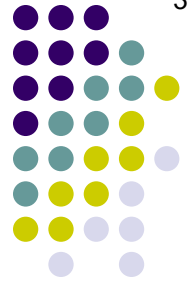


‘Irregular Astigmatism’

Any component of refractive error that could not be remediated with spherical and/or cylindrical lenses



‘Higher-order Aberrations’



# Aberrations

*Old Lingo*

*New Lingo*

(from wavefront analysis)

Sphere

Myopia

Hyperopia

**Defocus**

**Positive defocus**

**Negative defocus**

**Cylinder**

**Spherical aberration**

**Coma**

**Trefoil**

(Others, less clinically relevant)

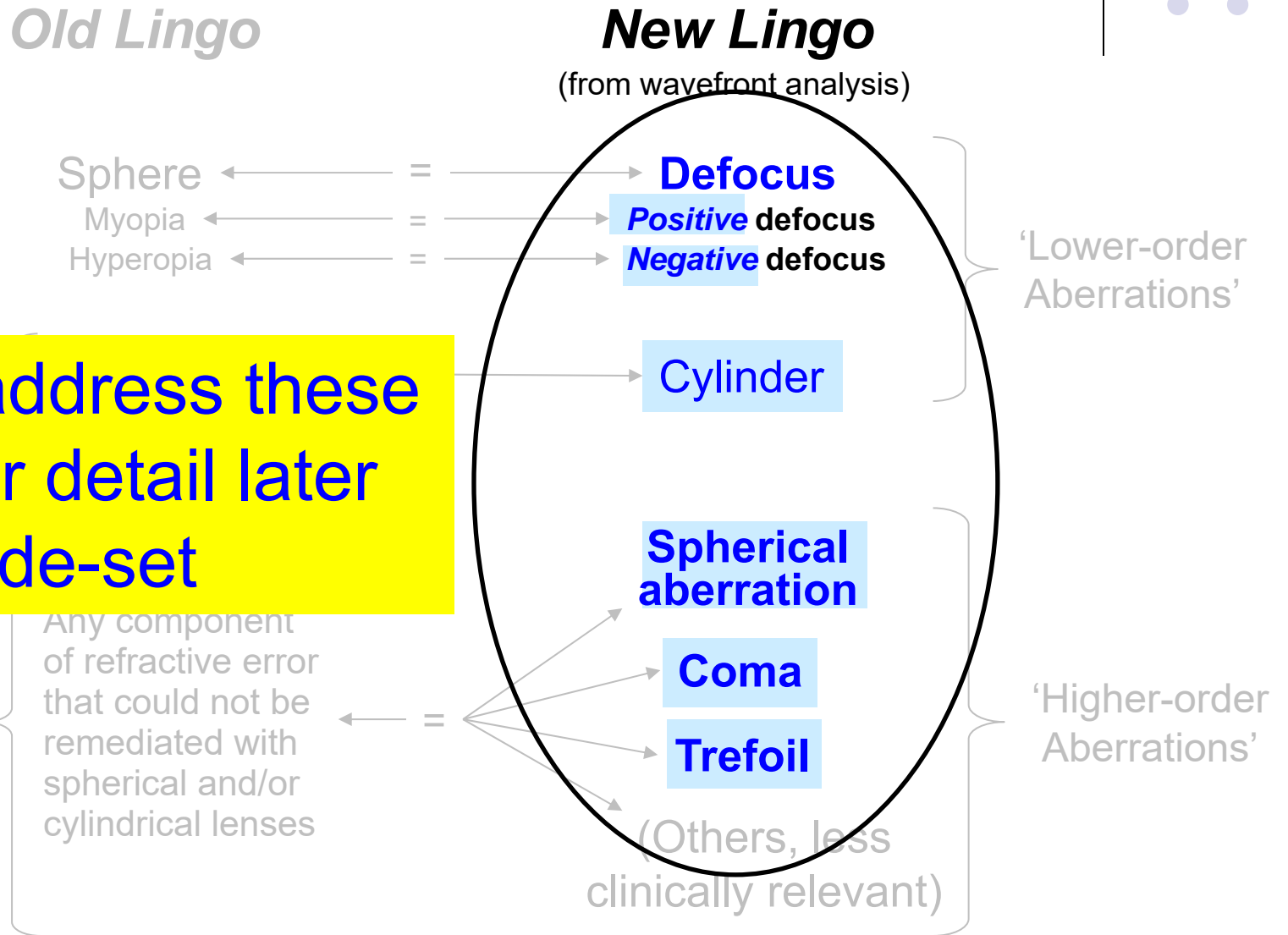
'Lower-order Aberrations'

'Higher-order Aberrations'

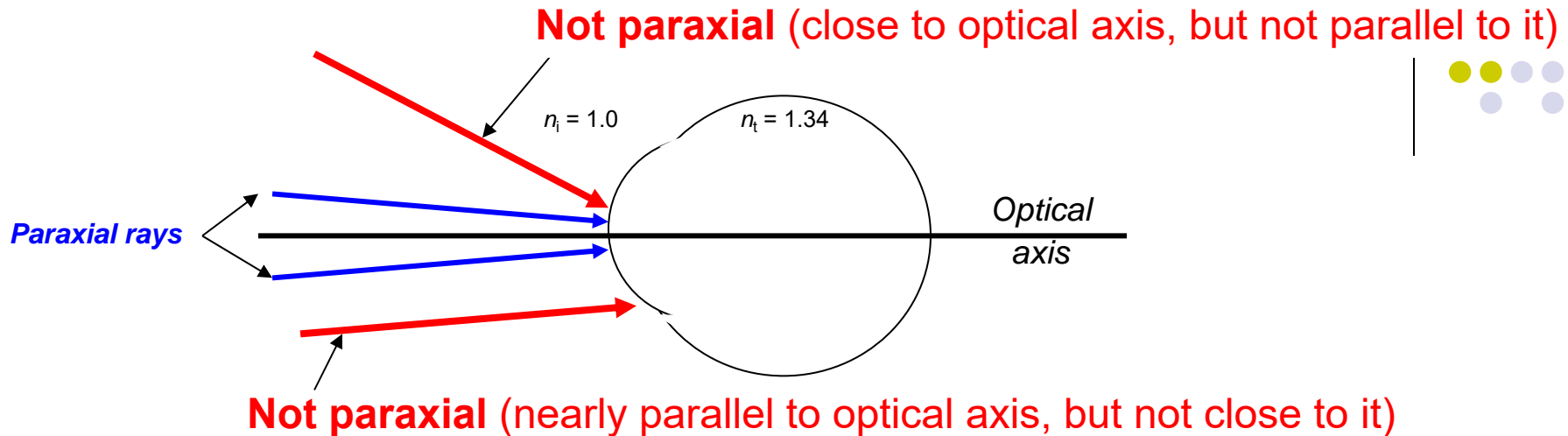
We will address these in greater detail later in this slide-set

'Irregular Astigmatism'

Any component of refractive error that could not be remediated with spherical and/or cylindrical lenses



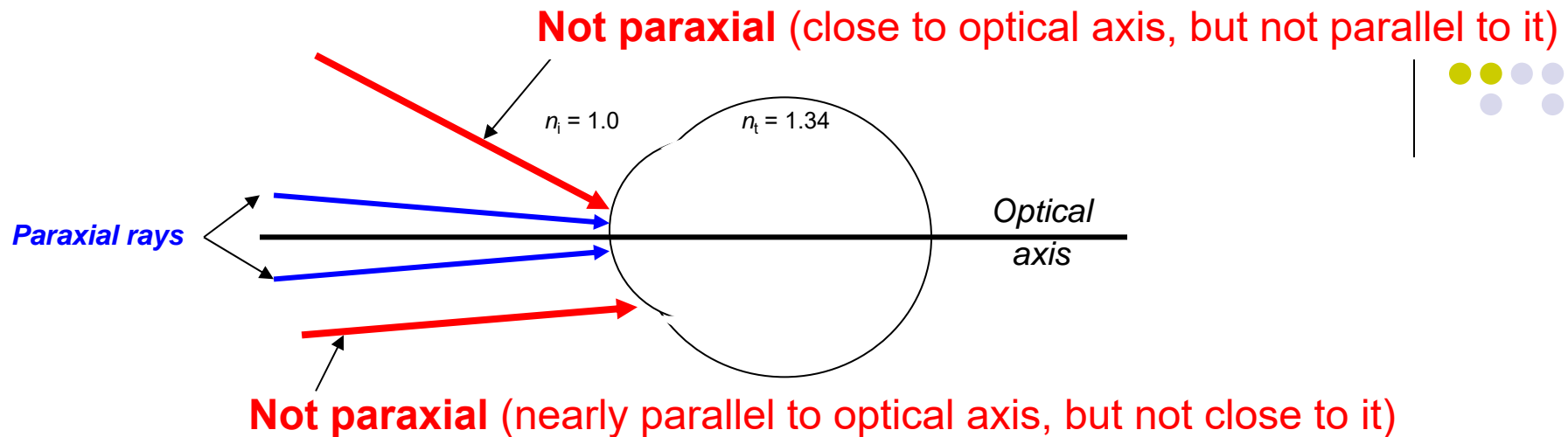
# Aberrations



When dealing with refraction at a curved surface, we work only with the **paraxial rays**: Those that are both **close to the optical axis** and **nearly parallel to it**.

*(The above was presented first in the slide-set Basic Optics, Chapter 17. If you have no idea what it's about, consider reviewing that chapter.)*

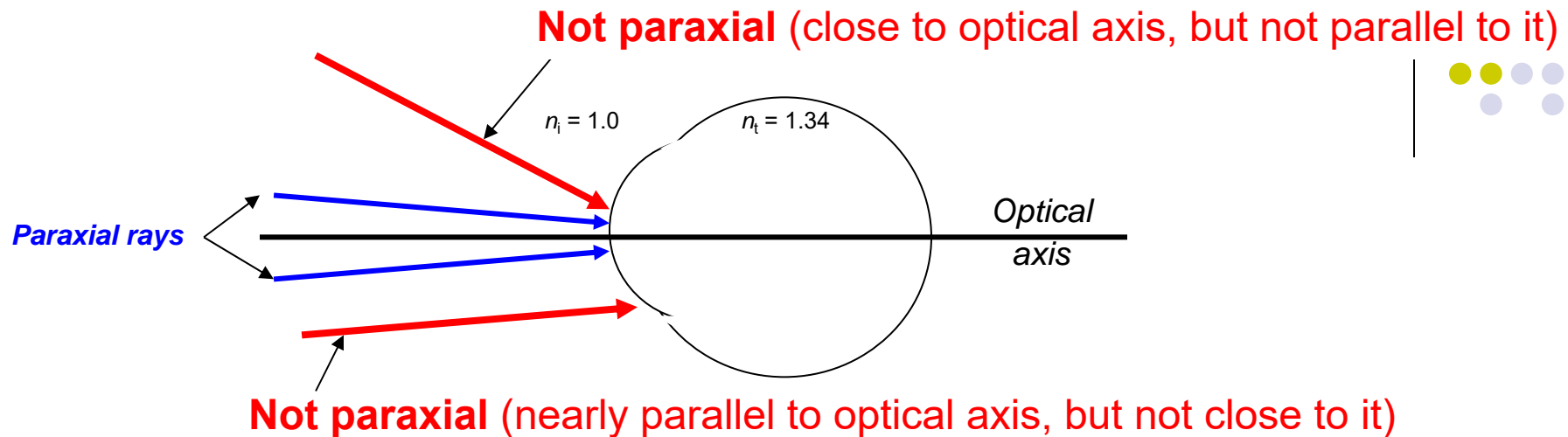
# Aberrations



When dealing with refraction at a curved surface, we work only with the **paraxial rays**: Those that are both **close to the optical axis** and **nearly parallel to it**.

Until now, we have focused exclusively on the optics of paraxial rays. But to understand higher-order aberrations, we have to consider the optics of **nonparaxial** rays.

# Aberrations



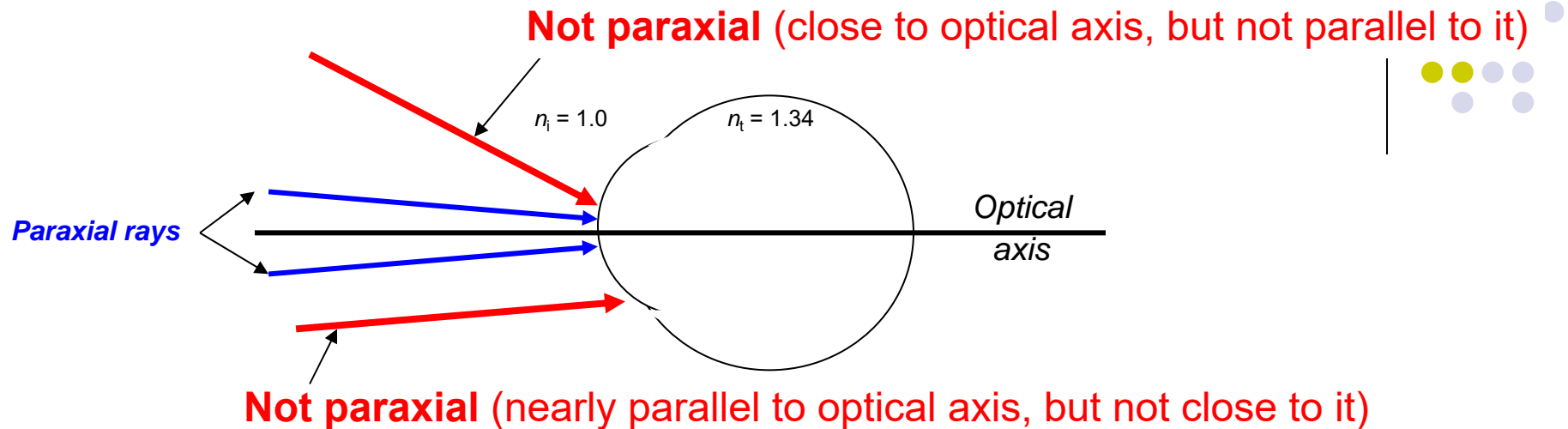
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The clinically **most important** higher-order aberration stemming from nonparaxial rays is  so we'll discuss it first.



# Aberrations



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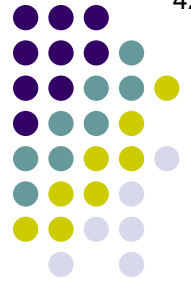
Until now, we have focused exclusively on the optics of paraxial rays. But to understand higher-order aberrations, we have to consider the optics of **nonparaxial** rays.

The clinically **most important** higher-order aberration stemming from nonparaxial rays is **spherical aberration**, so we'll discuss it first.

# Aberrations: *Spherical*

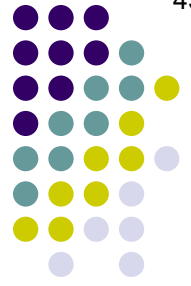
- A spherical lens is one for which the refracting surface(s) have a single

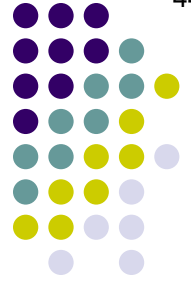
three words



# Aberrations: *Spherical*

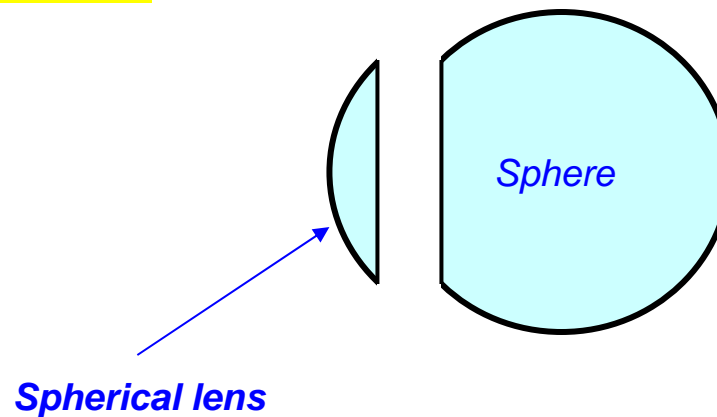
- A spherical lens is one for which the refracting surface(s) have a single **radius of curvature**



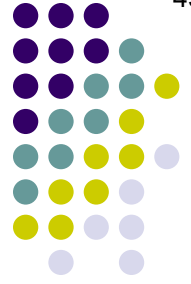


# Aberrations: *Spherical*

- A spherical lens is one for which the refracting surface(s) have a single radius of curvature

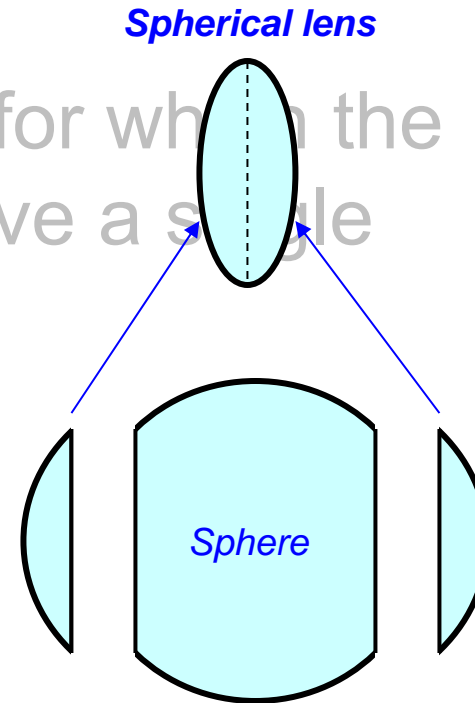


Note that a spherical lens need not be a sphere! For a lens to be 'spherical,' its refracting surface(s) must have a single radius-of-curvature—as if the lens was sliced off of a sphere.

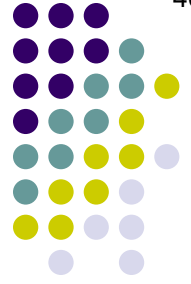


# Aberrations: *Spherical*

- A spherical lens is one for which the refracting surface(s) have a single radius of curvature

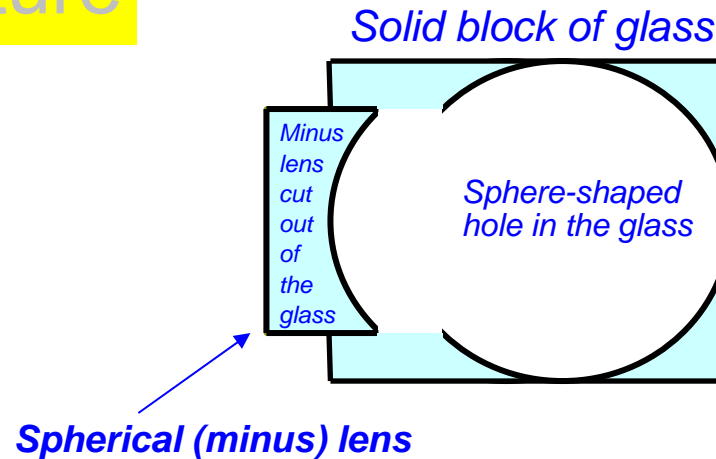


Note that a spherical lens need not have a single refracting surface.



# Aberrations: *Spherical*

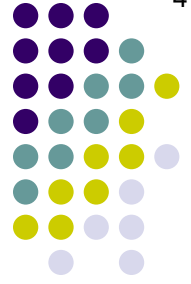
- A spherical lens is one for which the refracting surface(s) have a single radius of curvature



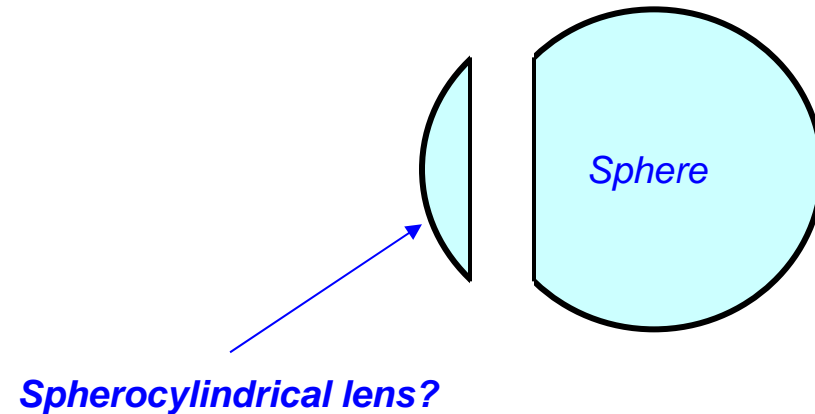
Note that a spherical lens need not be a **plus** lens, either.

# Aberrations: *Spherical*

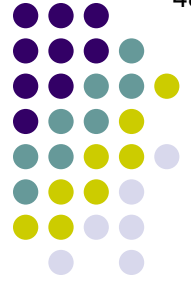
- A <sup>spherocylindrical</sup> ~~spherical~~ lens is one for which the refracting surface(s) have a single radius of curvature



*What about the refracting surface of a spherocylindrical (S-C) lens?*



*Rhetorical question—advance when ready*

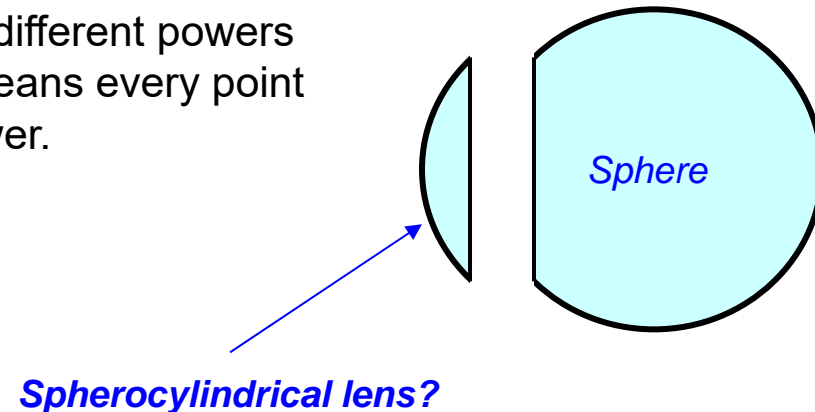


# Aberrations: *Spherical*

- A <sup>spherocylindrical</sup>~~spherical~~ lens is one for which the refracting surface(s) have ~~a single~~ two radius of curvature

*What about the refracting surface of a spherocylindrical (S-C) lens?*

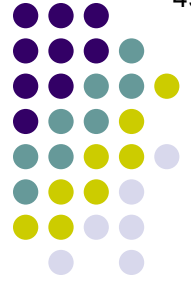
Recall that, by definition, an S-C lens has two different powers oriented at right angles to one another. This means every point on its surface has **two** radii—one for each power.





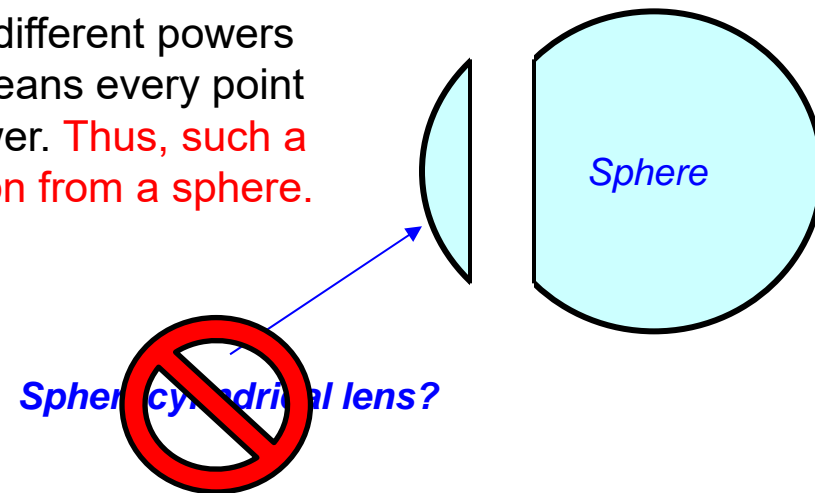
# Aberrations: *Spherical*

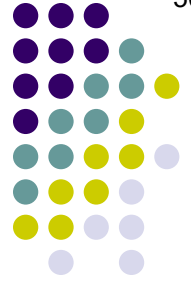
- A <sup>spherocylindrical</sup> ~~spherical~~ lens is one for which the refracting surface(s) have ~~a single~~ two radius of curvature



*What about the refracting surface of a spherocylindrical (S-C) lens?*

Recall that, by definition, an S-C lens has two different powers oriented at right angles to one another. This means every point on its surface has **two** radii—one for each power. **Thus, such a lens could not be created by slicing off a section from a sphere.**





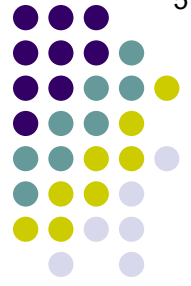
# Aberrations: *Spherical*

- A <sup>spherocylindrical</sup> ~~spherical~~ lens is one for which the refracting surface(s) have ~~a single~~ **two radius of curvature**

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Recall that, by definition, an S-C lens has two different powers oriented at right angles to one another. This means every point on its surface has **two** radii—one for each power. **Thus, such a lens could not be created by slicing off a section from a sphere.**

*Can you think of an everyday (hint: and delicious) object from which a slice could be taken that would qualify as an S-C lens?*



# Aberrations: *Spherical*

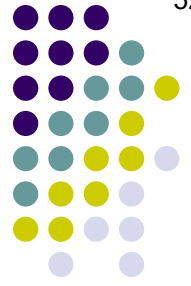
- A <sup>spherocylindrical</sup> ~~spherical~~ lens is one for which the refracting surface(s) have ~~a single~~ **two radius of curvature**

*What about the refracting surface of a spherocylindrical (S-C) lens?*

Recall that, by definition, an S-C lens has two different powers oriented at right angles to one another. This means every point on its surface has **two** radii—one for each power. **Thus, such a lens could not be created by slicing off a section from a sphere.**

*Can you think of an everyday (hint: and delicious) object from which a slice could be taken that would qualify as an S-C lens?*  
Yes—a donut.





# Aberrations: *Spherical*

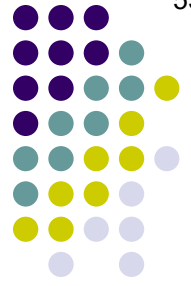
- A <sup>spherocylindrical</sup> ~~spherical~~ lens is one for which the refracting surface(s) have ~~a single~~ **two radius of curvature**

*What about the refracting surface of a spherocylindrical (S-C) lens?*

Recall that, by definition, an S-C lens has two different powers oriented at right angles to one another. This means every point on its surface has **two** radii—one for each power. **Thus, such a lens could not be created by slicing off a section from a sphere.**

*Can you think of an everyday (hint: and delicious) object from which a slice could be taken that would qualify as an S-C lens?*  
 Yes—a donut. **Every point on the surface of a donut has two radii—one determined by its distance from the center of the donut's hole, the other by its distance from the center of the part you bite into.**





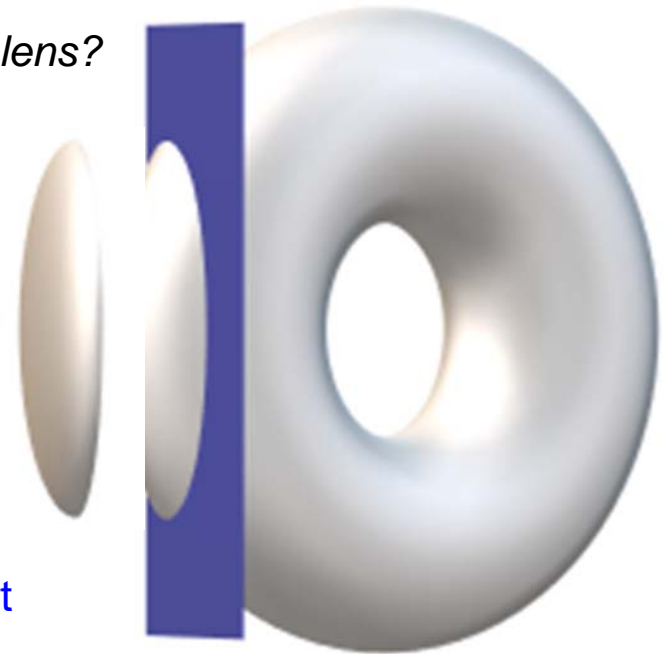
# Aberrations: *Spherical*

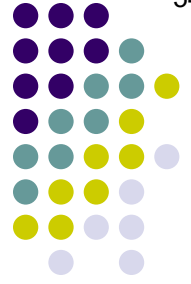
- A <sup>spherocylindrical</sup> ~~spherical~~ lens is one for which the refracting surface(s) have ~~a single~~ **two radius of curvature**

*What about the refracting surface of a spherocylindrical (S-C) lens?*

Recall that, by definition, an S-C lens has two different powers oriented at right angles to one another. This means every point on its surface has **two** radii—one for each power. **Thus, such a lens could not be created by slicing off a section from a sphere.**

*Can you think of an everyday (hint: and delicious) object from which a slice could be taken that would qualify as an S-C lens?*  
 Yes—a donut. **Every point on the surface of a donut has two radii—one determined by its distance from the center of the donut's hole, the other by its distance from the center of the part you bite into.** So, just as a spherical lens is created by taking a slice off a sphere, a spherocylindrical lens is created by taking a slice off a donut.





# Aberrations: *Spherical*

- A <sup>spherocylindrical</sup> ~~spherical~~ lens is one for which the refracting surface(s) have ~~a single~~ **two radius of curvature**

What about the refracting surface of a spherocylindrical (S-C) lens?

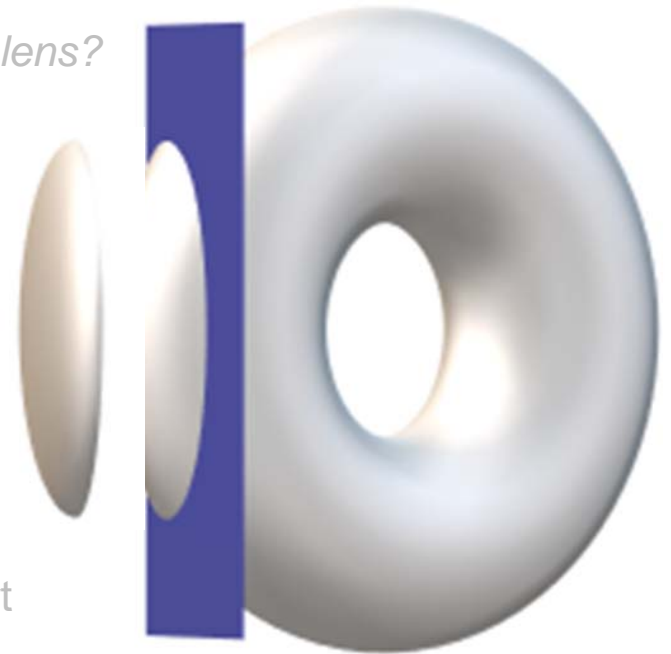
Recall that, by definition, an S-C lens has two different powers oriented at right angles to one another. This means every point on its surface has **two** radii—one for each power. Thus, such a lens could not be created by slicing off a section from a sphere.

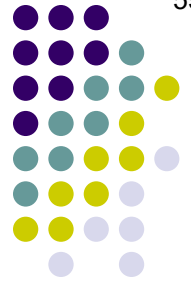
*There is a more formal/precise name for the shape from which a spherocylindrical lens is sliced—what is it?*

Can you guess? Which a... s?

Yes—a... radii—o... donut's... part you bite into. So, just as a spherical lens is created by taking a slice off a sphere, a spherocylindrical lens is created by taking

**a slice off a donut.**





# Aberrations: *Spherical*

- A <sup>spherocylindrical</sup> ~~spherical~~ lens is one for which the refracting surface(s) have ~~a single~~ **two radius of curvature**

What about the refracting surface of a spherocylindrical (S-C) lens?

Recall that, by definition, an S-C lens has two different powers oriented at right angles to one another. This means every point on its surface has **two** radii—one for each power. Thus, such a lens could not be created by slicing off a section from a sphere.

There is a more formal/precise name for the shape from which a spherocylindrical lens is sliced—what is it?

**A torus**

Can you

which a

Yes—a

radii—o

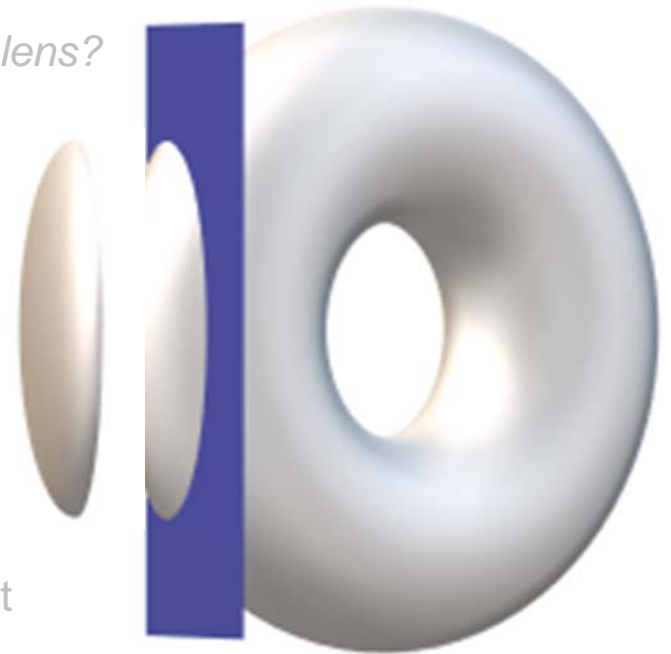
donut's

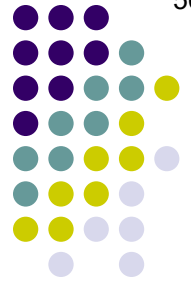
part

you bite into. So, just as a spherical lens is created by taking a

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# Aberrations: Spherical

- A ~~spherical~~<sup>spherocylindrical</sup> lens is one for which the refracting surface(s) have ~~a single~~ two radius of curvature

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Can you  
which a

There is a more formal/precise name for the shape from which a spherocylindrical lens is sliced—what is it?

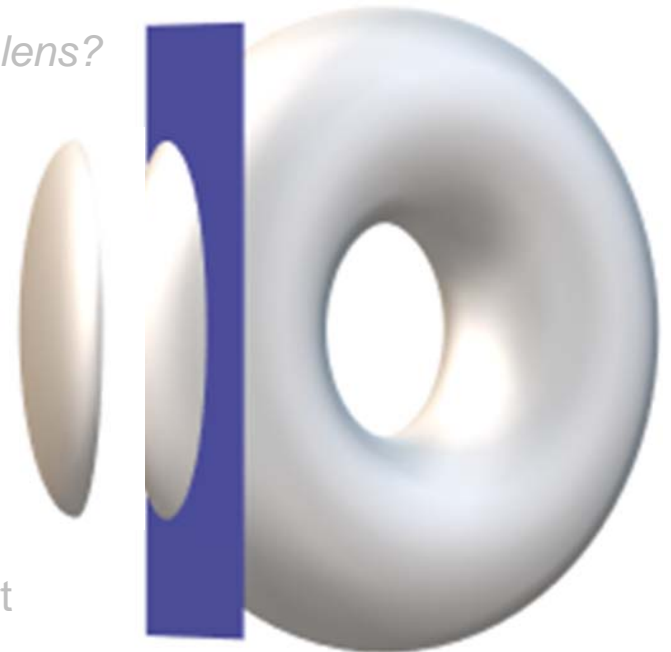
**A torus**

Yes—a  
radii—o  
donut's

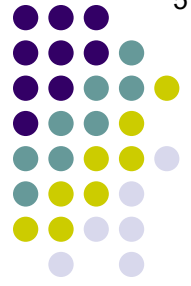
Similarly, this more-formal name gives rise to an alternate name for a spherocylindrical lens—what is it?

you bite into. So, just as a spherical lens is created by taking a slice off a sphere, a spherocylindrical lens is created by taking

a slice off a **donut**.







# Aberrations: Spherical

- A ~~spherical~~ <sup>spherocylindrical</sup> lens is one for which the refracting surface(s) have ~~a single~~ **two radius of curvature**

What about the refracting surface of a spherocylindrical (S-C) lens?

Recall that, by definition, an S-C lens has two different powers oriented at right angles to one another. This means every point on its surface has **two** radii—one for each power. Thus, such a lens could not be created by slicing off a section from a sphere.

Can you  
which a

*There is a more formal/precise name for the shape from which a spherocylindrical lens is sliced—what is it?*

**A torus**

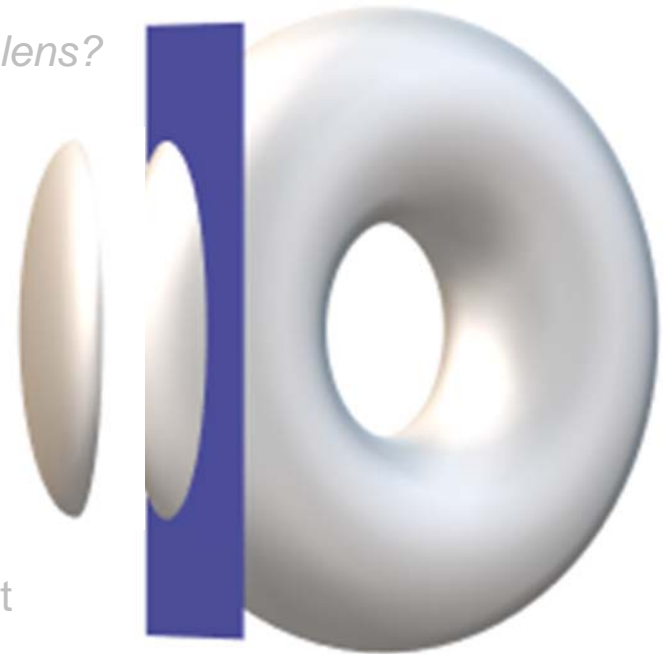
Yes—a  
radii—o  
donut's

*Similarly, this more-formal name gives rise to an alternate name for a spherocylindrical lens—what is it?*

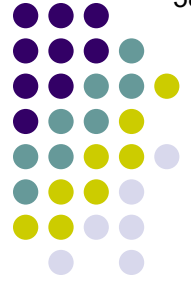
**A toric lens**

you bite into. So, just as a spherical lens is created by taking a slice off a sphere, a spherocylindrical lens is created by taking

**a slice off a donut.**

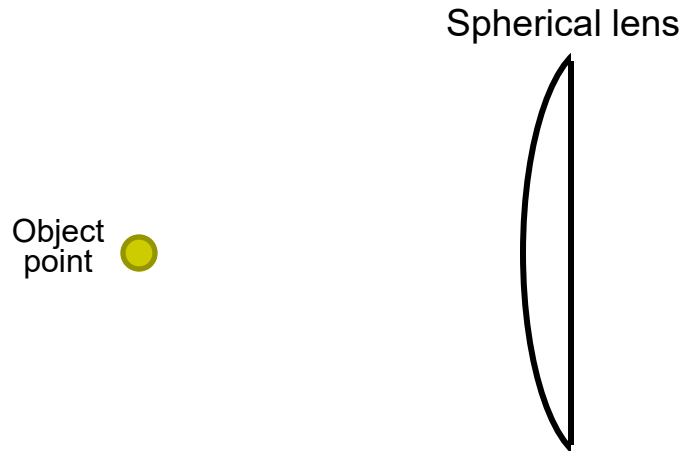


# Aberrations: *Spherical*



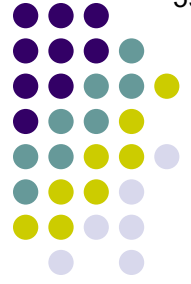
*Let's drill down on how spherical aberration comes to pass:*

# Aberrations: *Spherical*

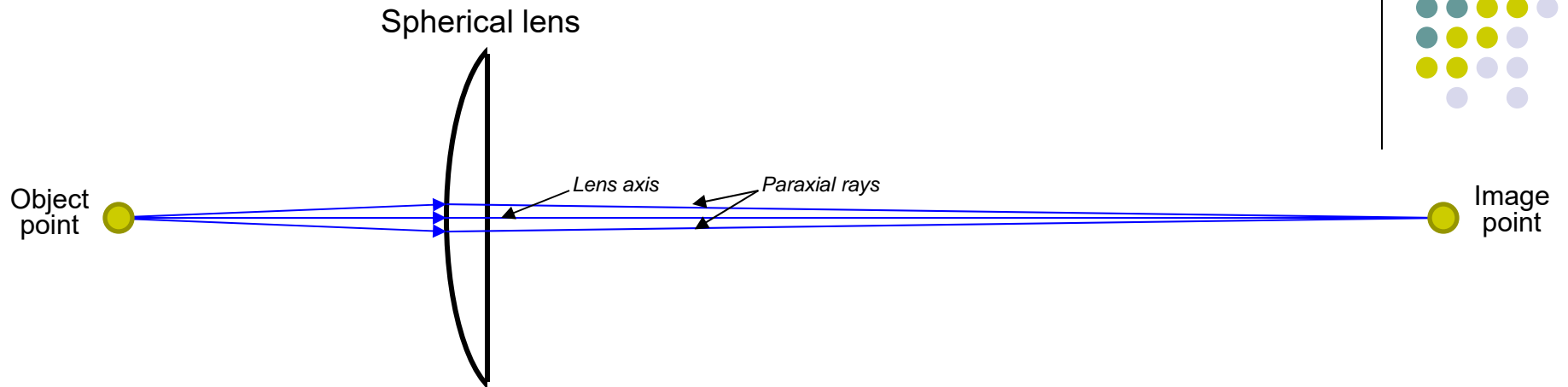


Consider an object-lens system as above.

*Let's drill down on how spherical aberration comes to pass:*

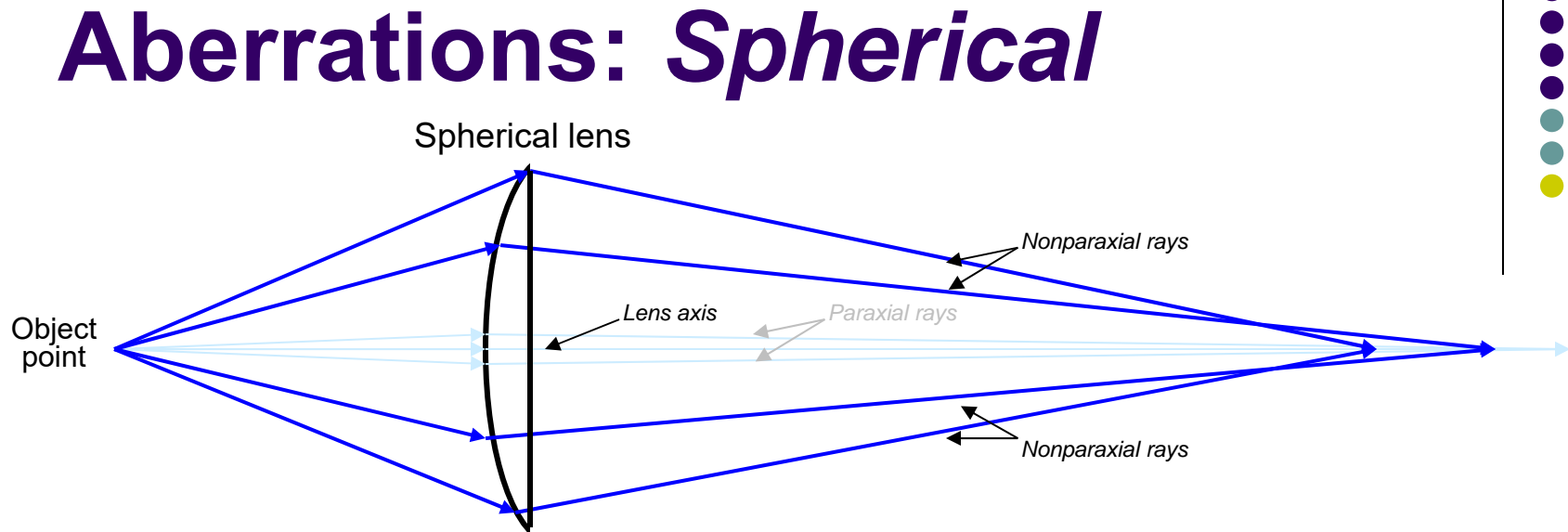
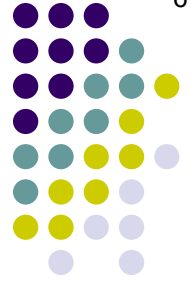


# Aberrations: *Spherical*



If we deal only with the paraxial rays, we find their focus closely approximates a perfect point, as predicted by first-order optics.

*Let's drill down on how spherical aberration comes to pass:*

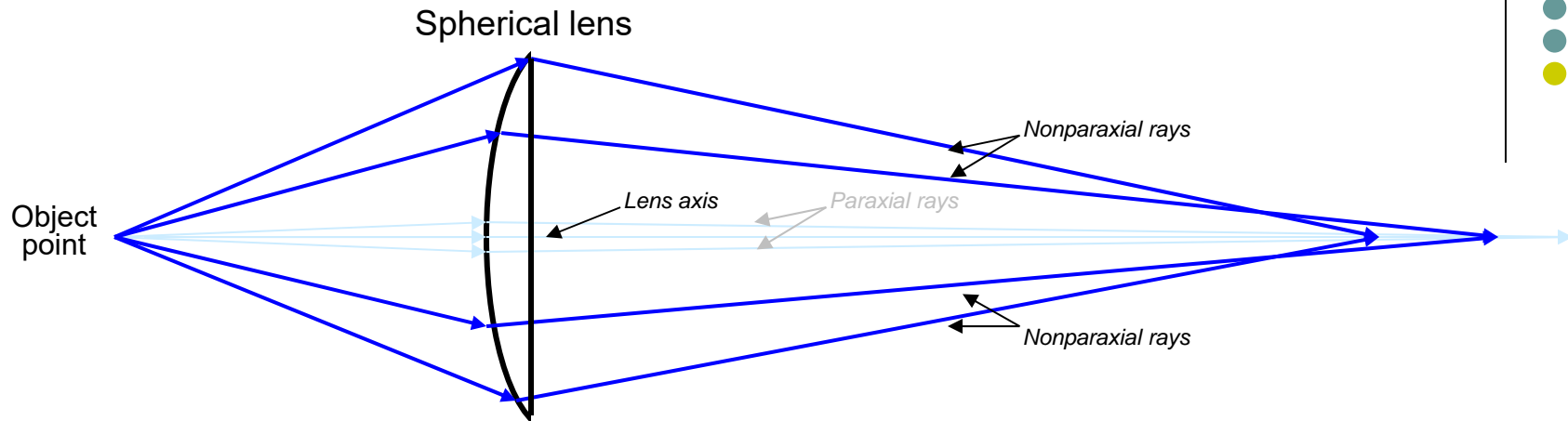


If we deal only with the paraxial rays, we find their focus closely approximates a perfect point, as predicted by first-order optics.

However, when we look at the behavior of the **non**-paraxial rays, we find they do not focus at the same location as the paraxial rays; rather, because they are more sharply refracted, they focus anterior to the paraxial focal point.

*Let's drill down on how spherical aberration comes to pass:*

# Aberrations: *Spherical*

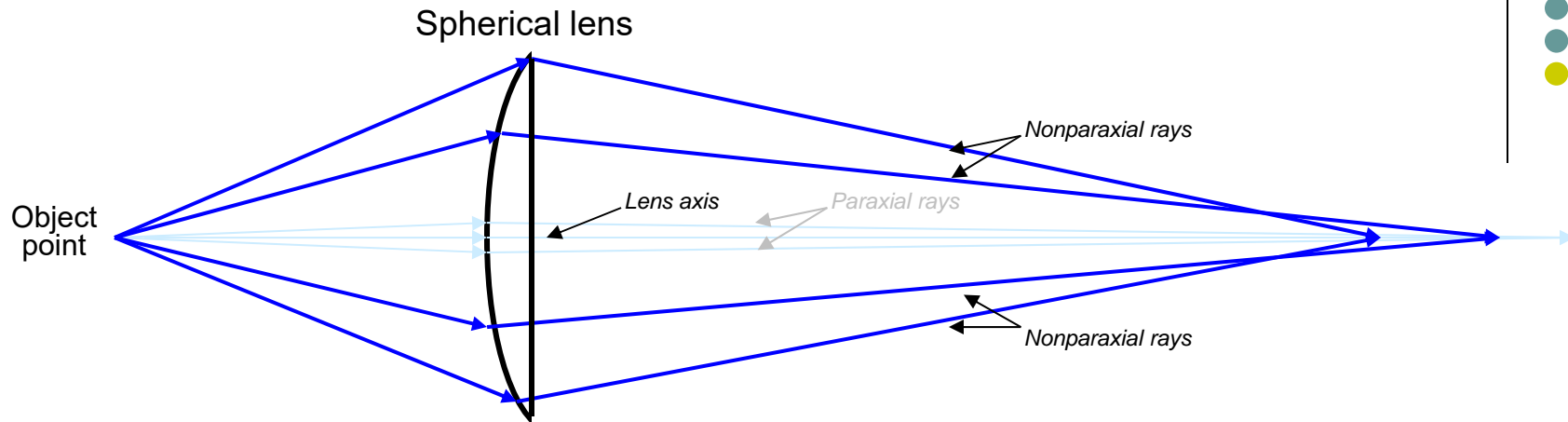


If we deal only with the paraxial rays, we find their focus closely approximates a perfect point, as predicted by first-order optics.

However, when we look at the behavior of the **non-paraxial rays**, we find they do not focus at the same location as the paraxial rays; rather, because they **are more sharply refracted**, they focus anterior to the paraxial focal point.

*Why are nonparaxial rays refracted more than paraxial rays on a spherical lens?*

# Aberrations: *Spherical*

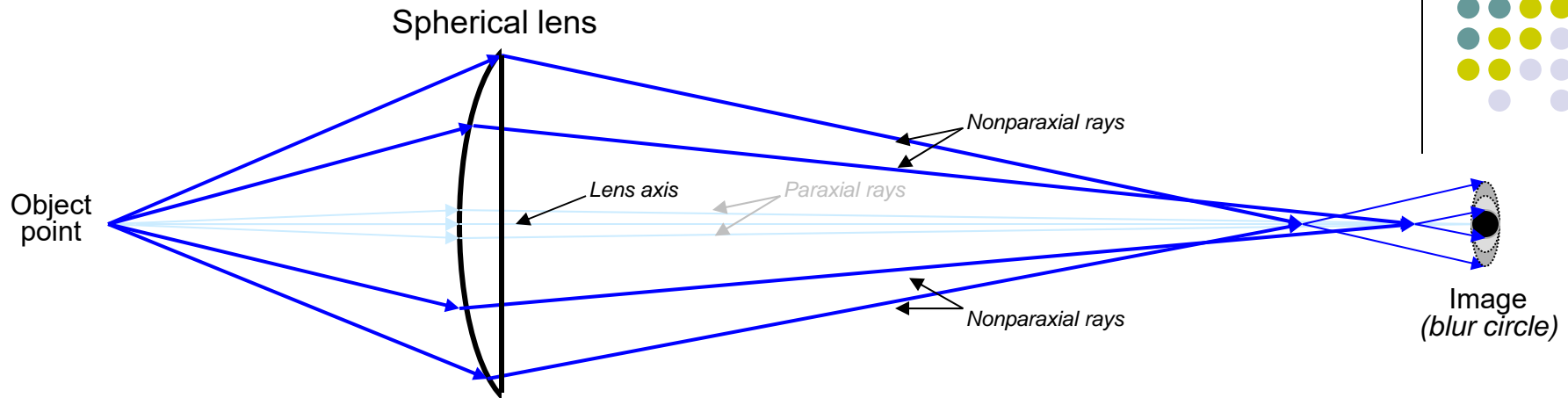


If we deal only with the paraxial rays, we find their focus closely approximates a perfect point, as predicted by first-order optics.

However, when we look at the behavior of the **non-paraxial rays**, we find they do not focus at the same location as the paraxial rays; rather, because they **are more sharply refracted**, they focus anterior to the paraxial focal point.

*Why are nonparaxial rays refracted more than paraxial rays on a spherical lens?*  
 Snell's Law states that the angle of refraction is a function of the angle of incidence. For paraxial rays, the angle of incidence is determined solely by the radius-of-curvature of the lens. However, the angle-of-incidence for **non-paraxial rays** is a function of both the radius of curvature **and** the fact that the surface of the lens becomes more and more oblique (relative to the path of the light) as you move away from the lens axis; ie, the lens periphery 'turns away' from the incoming light, thereby increasing the angle of incidence in a way unrelated to the radius of curvature.

# Aberrations: *Spherical*

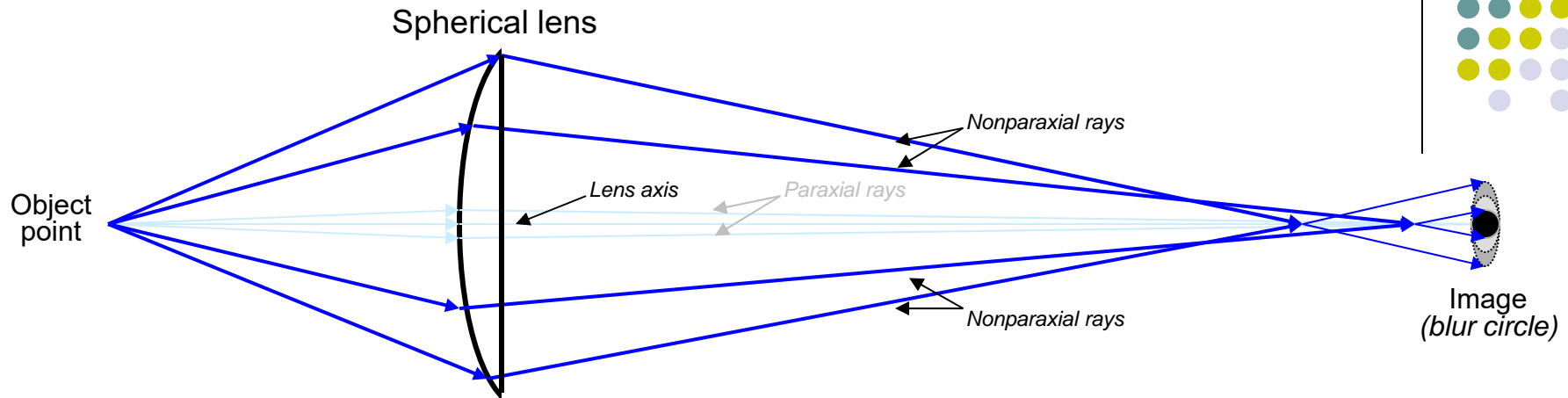


If we deal only with the paraxial rays, we find their focus closely approximates a perfect point, as predicted by first-order optics.

However, when we look at the behavior of the **non**-paraxial rays, we find they do not focus at the same location as the paraxial rays; rather, because they are more sharply refracted, they focus anterior to the paraxial focal point. **By the time these rays reach the focal plane for the paraxial rays, they are diverging.** Thus, they contribute not to a focal **point**, but rather to a somewhat defocused area called a *blur circle*.



# Aberrations: *Spherical*

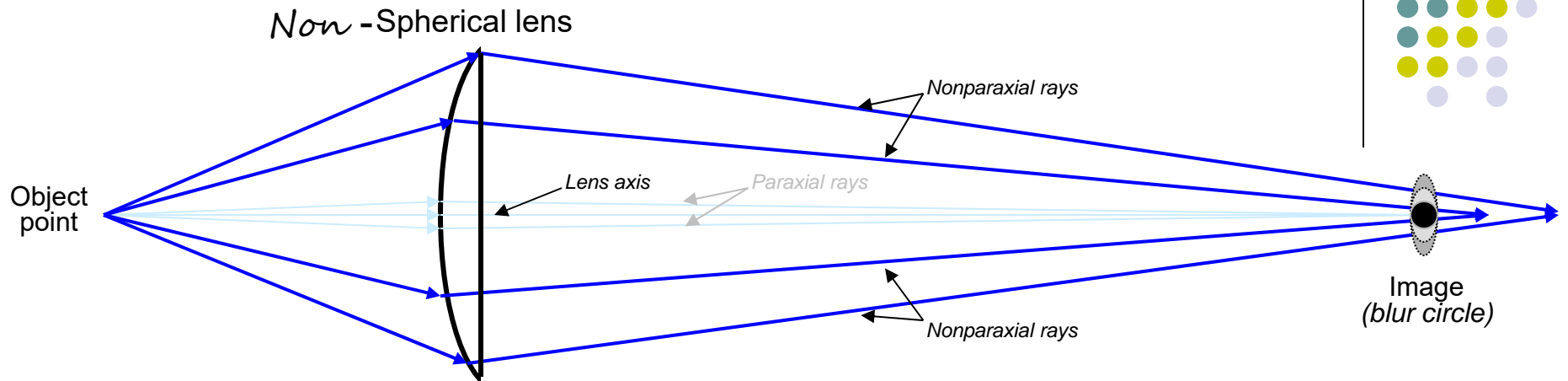


If we deal only with the paraxial rays, we find their focus closely approximates a perfect point, as predicted by first-order optics.

However, when we look at the behavior of the **non**-paraxial rays, we find they do not focus at the same location as the paraxial rays; rather, because they are more sharply refracted, they focus anterior to the paraxial focal point. **By the time these rays reach the focal plane for the paraxial rays, they are diverging.** Thus, they contribute not to a focal **point**, but rather to a somewhat defocused area called a *blur circle*.

*When progressively peripheral rays are refracted more and more sharply, the lens is said to possess **positive spherical aberration**.*

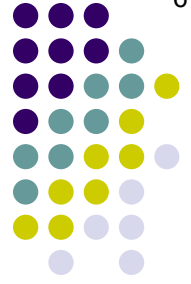
# Aberrations: Spherical



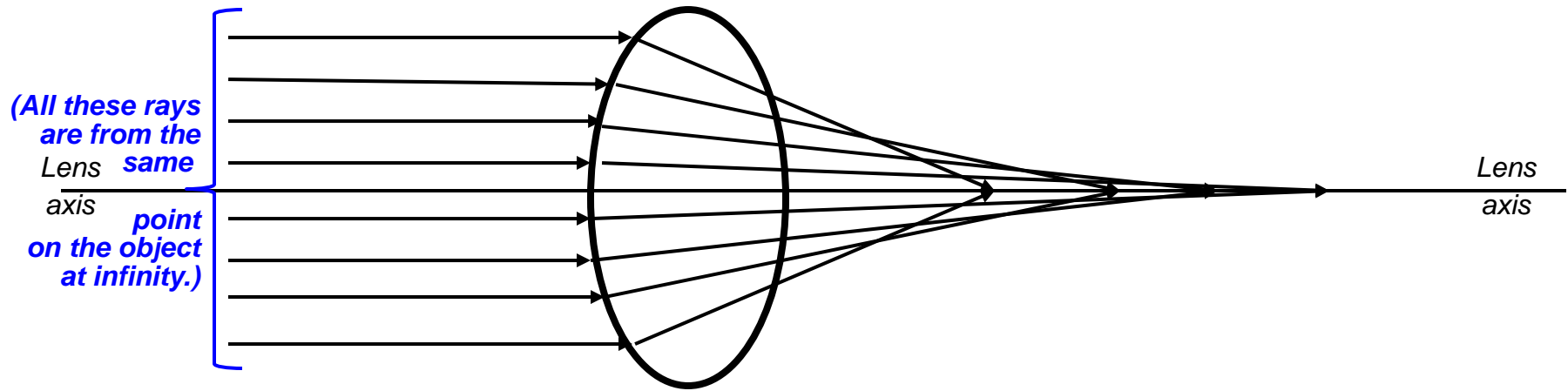
If we deal only with the paraxial rays, we find their focus closely approximates a perfect point, as predicted by first-order optics.

However, when we look at the behavior of the **non**-paraxial rays, we find they do not focus at the same location as the paraxial rays; rather, because they are ~~more~~ <sup>less</sup> sharply refracted, they focus ~~anterior~~ <sup>posterior</sup> to the paraxial focal point.

*On the other hand, when progressively peripheral rays are refracted less and less sharply, the lens is said to possess **negative spherical aberration**.*

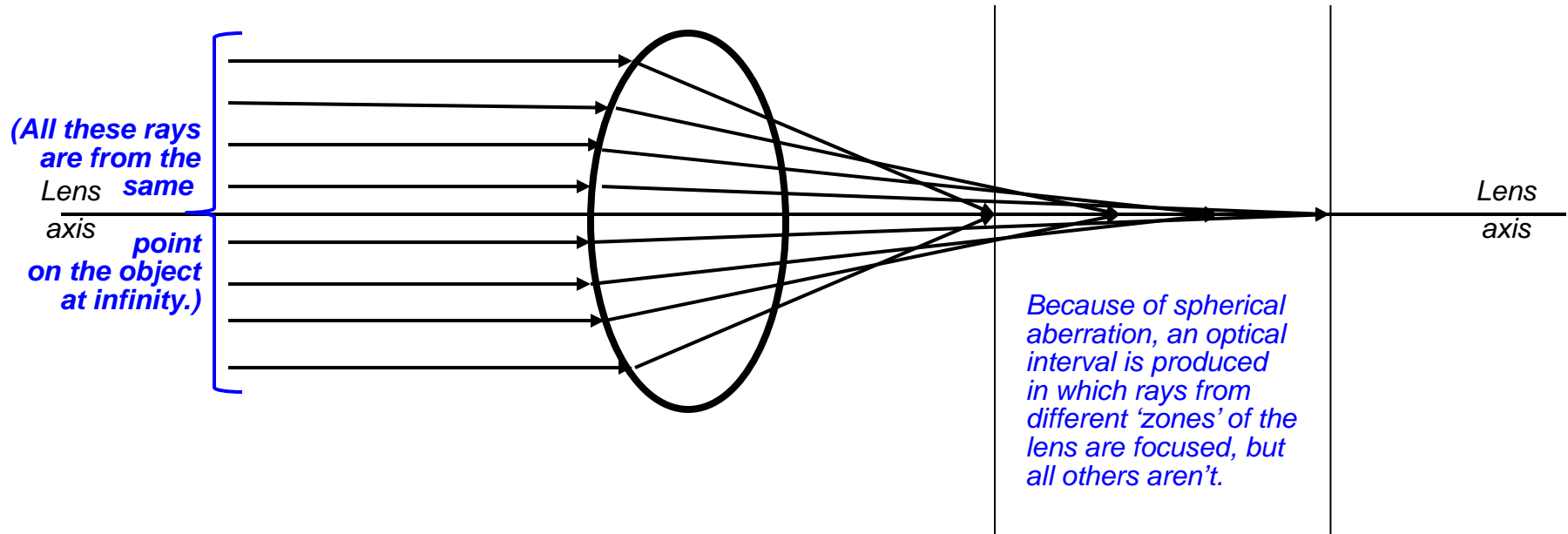


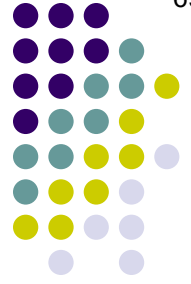
# Aberrations: *Spherical*



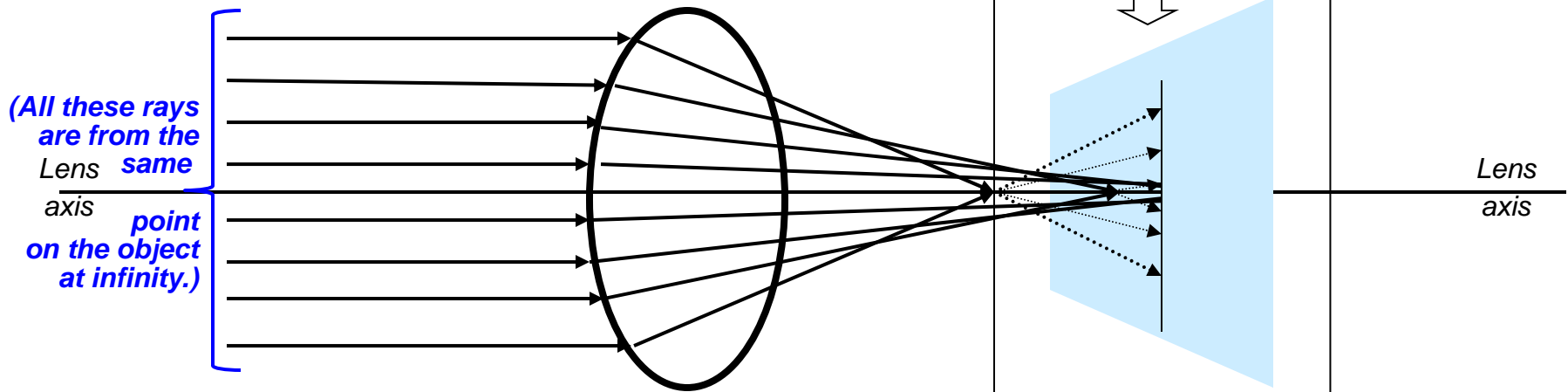


# Aberrations: *Spherical*





# Aberrations: Spherical

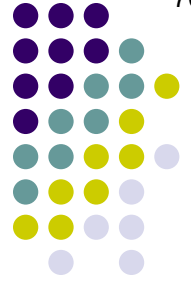


(All these rays are from the same point on the object at infinity.)

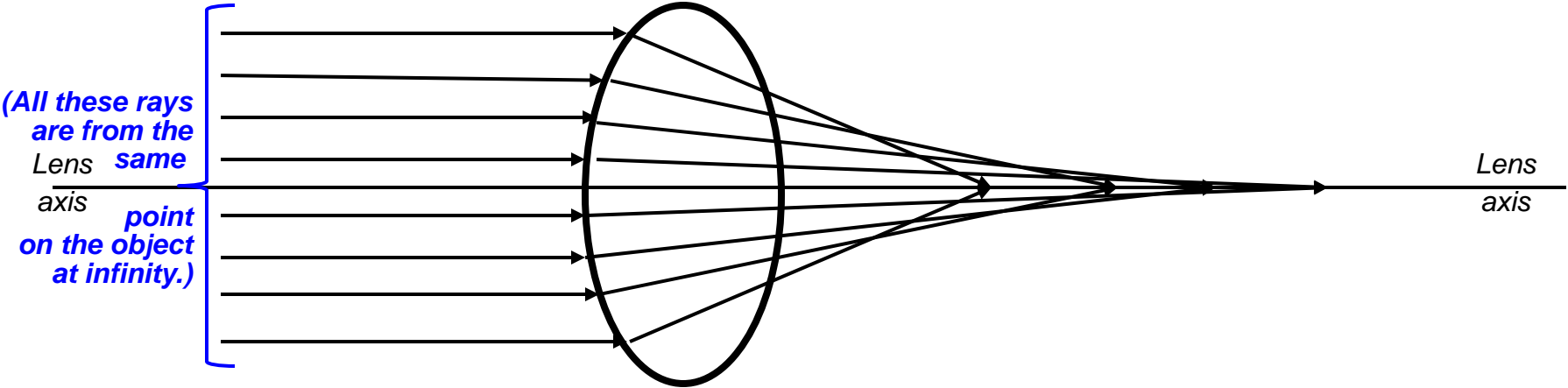
Lens axis

Lens axis

A viewing screen placed anywhere within this interval would yield a crisp image (due to rays passing through one zone of the lens), with surrounding 'halos' representing rays from the other zones (and therefore out-of-focus at this point in the interval)



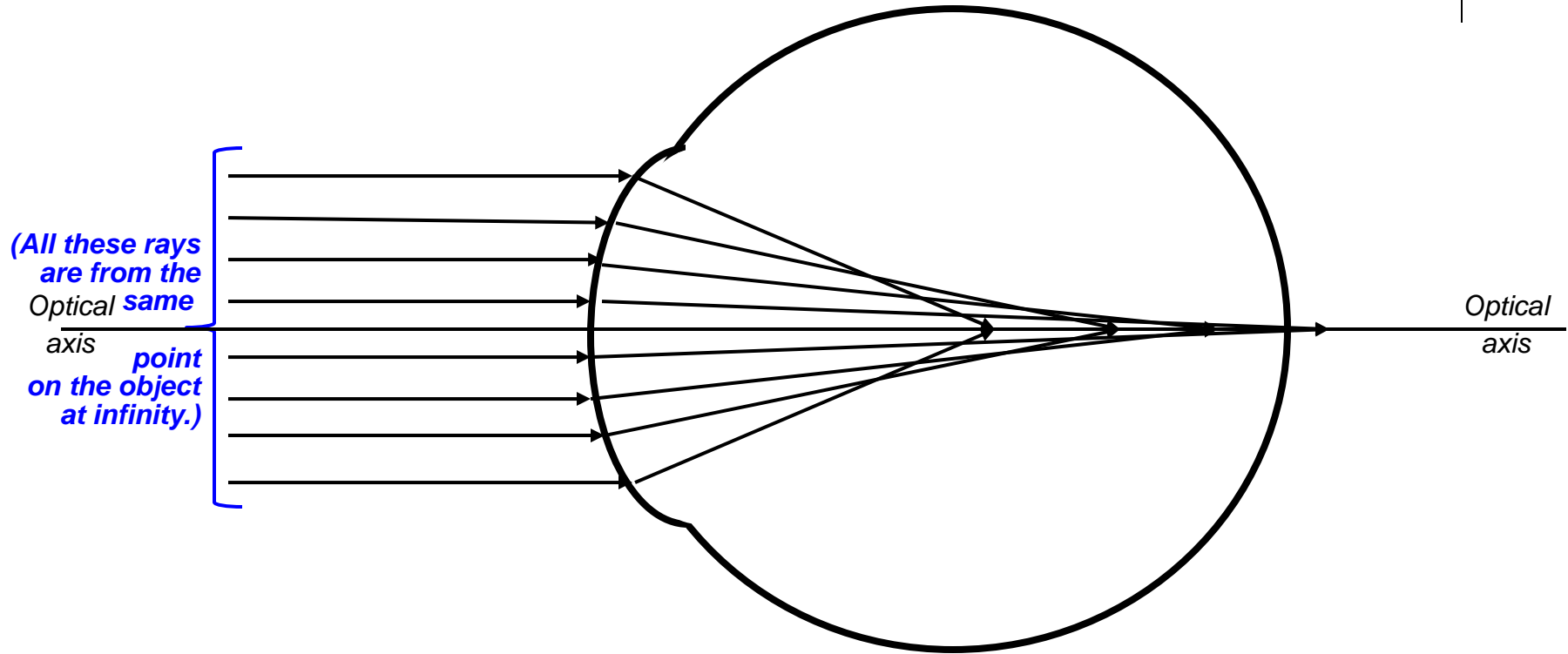
# Aberrations: *Spherical*



And because it is an optical instrument...

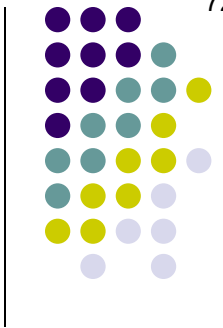
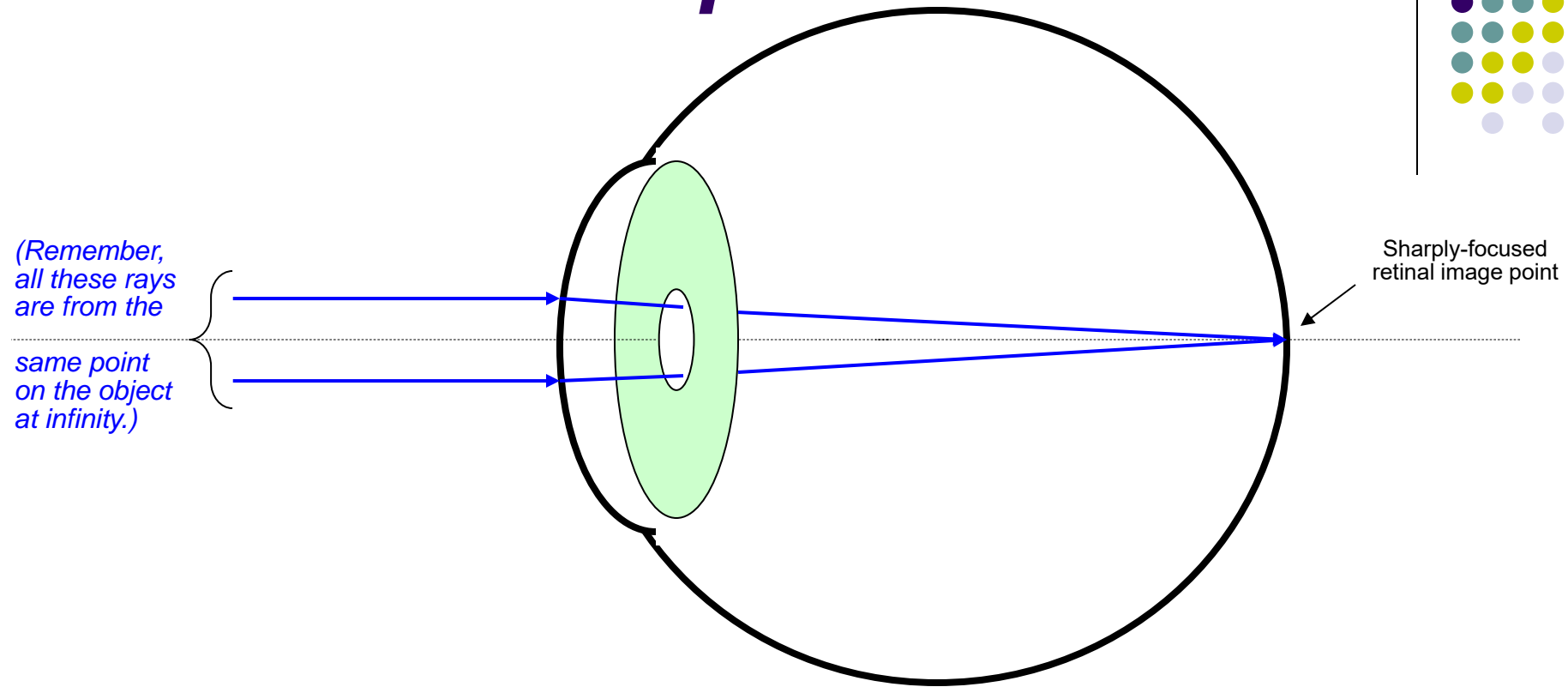


# Aberrations: *Spherical*

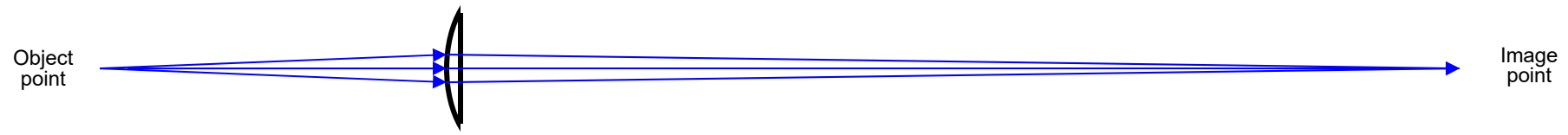


And because it is an optical instrument...the eye is subject to the same phenomenon.

# Aberrations: Spherical

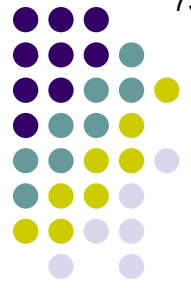
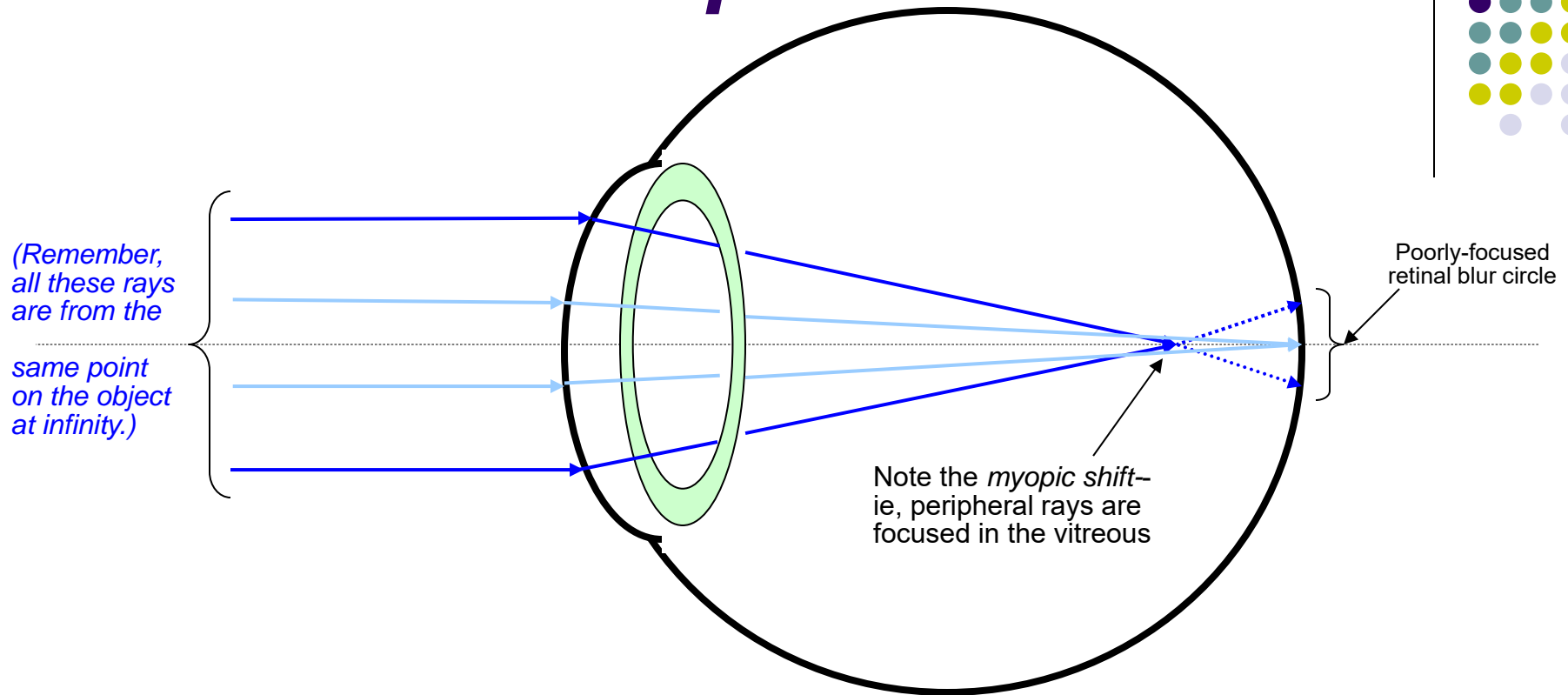


When the pupil is small, light reaching the retina consists largely of paraxial rays; ie, rays passing through the central portion of the cornea.

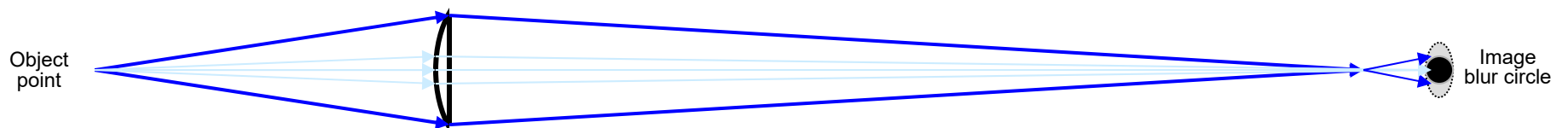




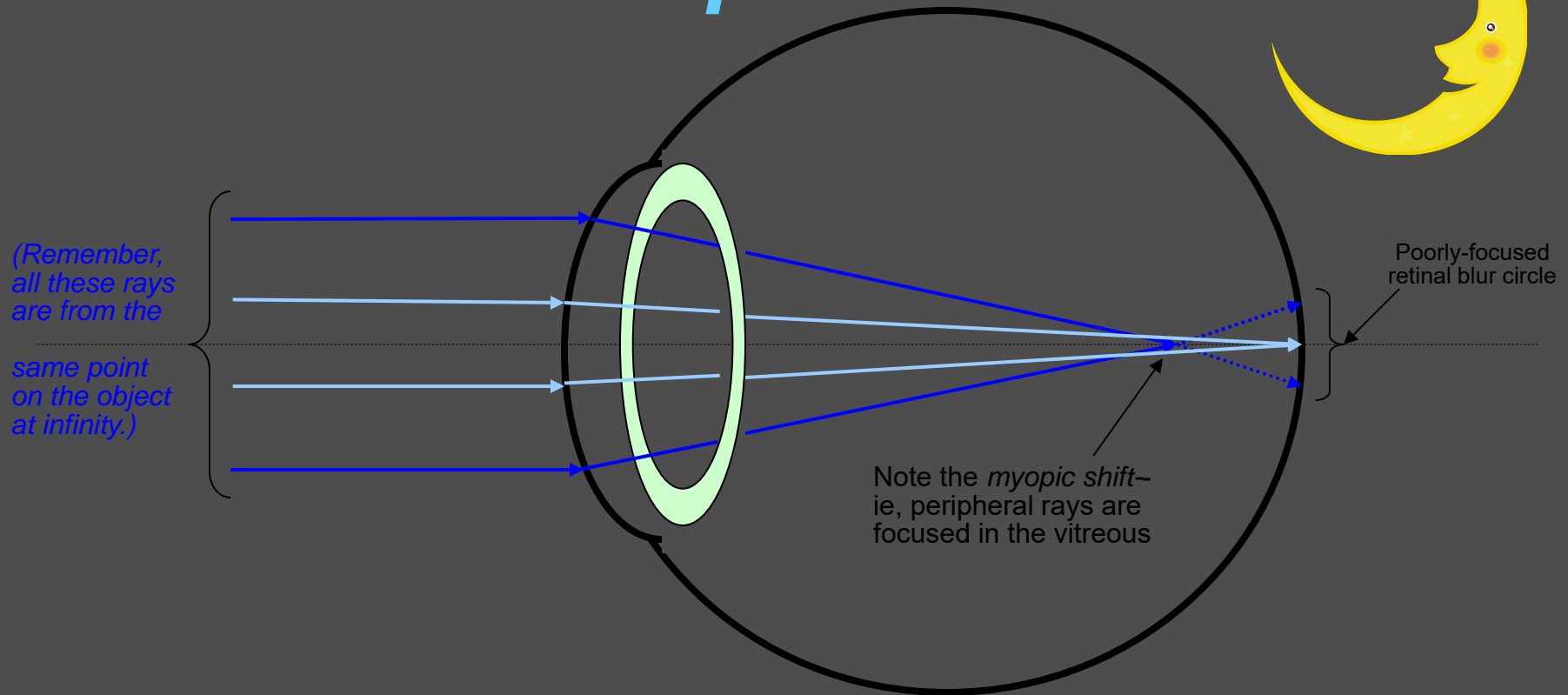
# Aberrations: Spherical



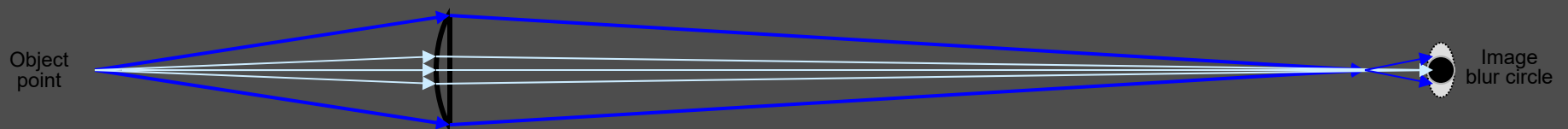
When the pupil is small, light reaching the retina consists largely of paraxial rays; ie, rays passing through the central portion of the cornea. However, when the pupil is large, rays passing through the peripheral cornea come into play, and spherical aberration causes these rays to be focused more anteriorly, resulting in a myopic component to the final image.

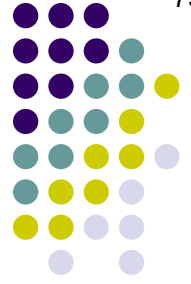


# Aberrations: *Spherical*

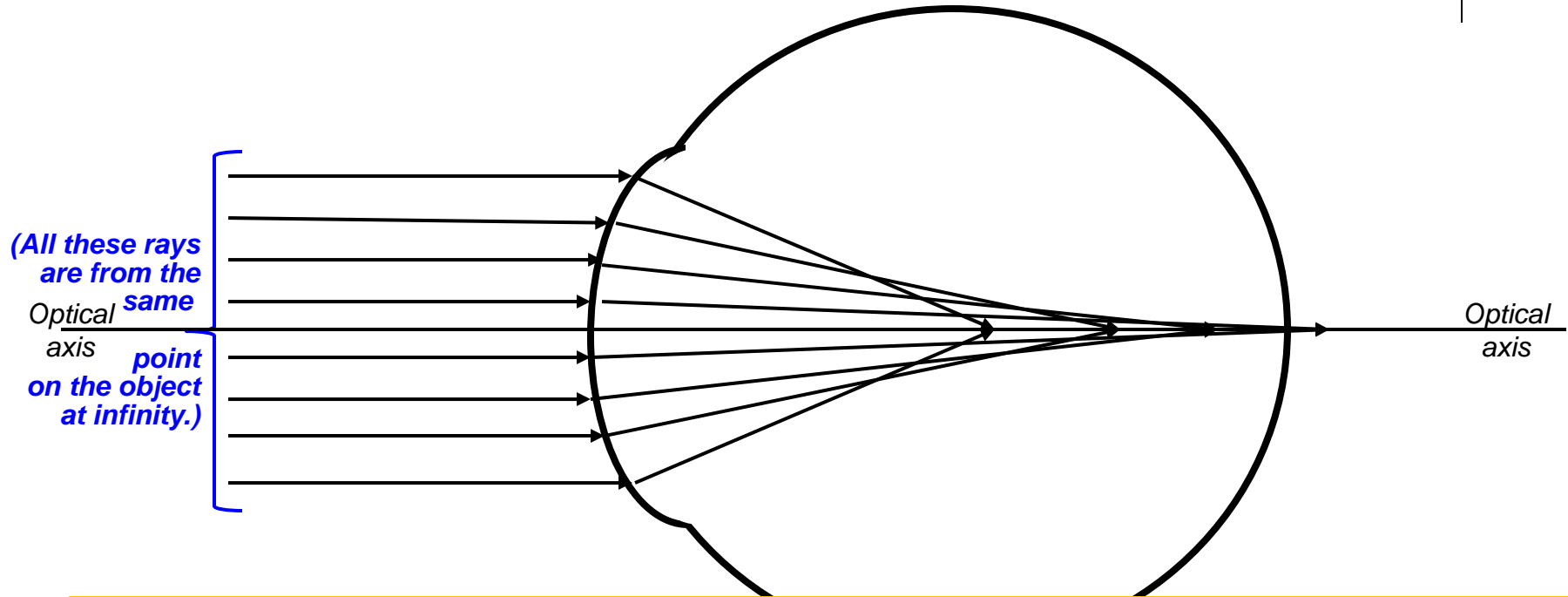


When the pupil is small, light reaching the retina consists largely of paraxial rays; ie, rays passing through the central portion of the cornea. However, when the pupil is large, rays passing through the peripheral cornea come into play, and spherical aberration causes these rays to be focused more anteriorly, resulting in a myopic component to the final image. **Spherical aberration is a factor in the phenomenon called *night myopia*, in which pts complain of blurred vision brought on by dusk- and night-time illumination levels.**





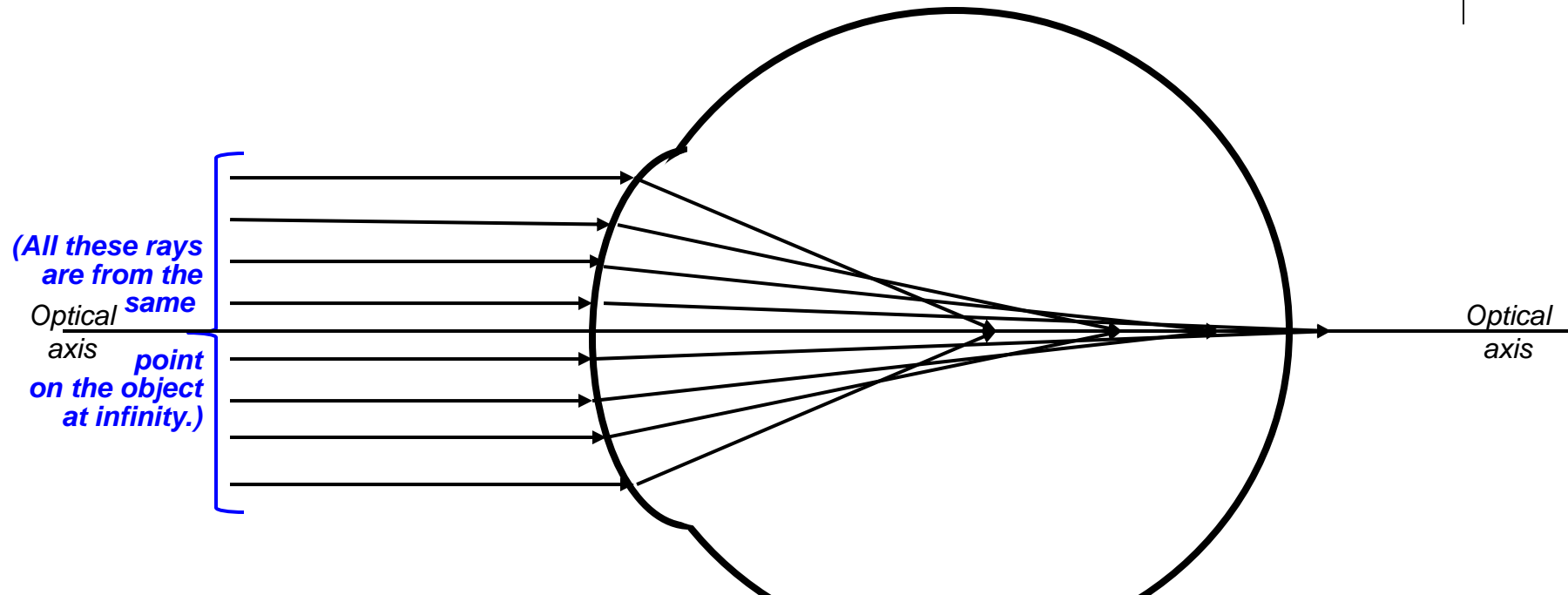
# Aberrations: *Spherical*



*How much spherical aberration does the average human cornea possess?*



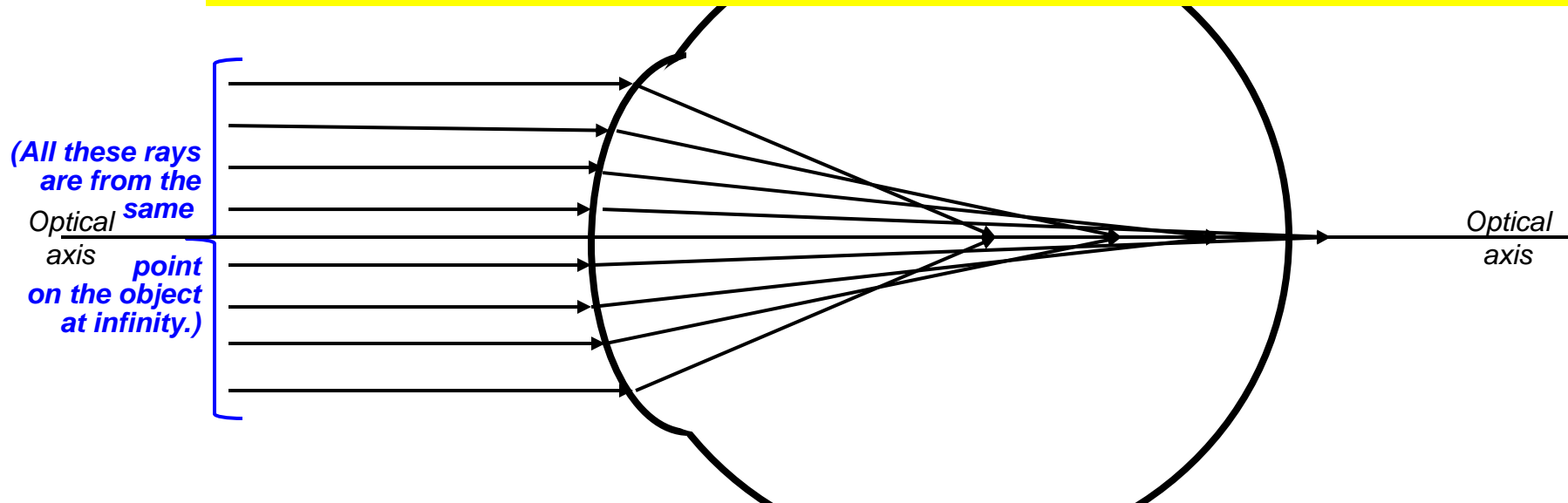
# Aberrations: *Spherical*



How much spherical aberration does the average human cornea possess?  
About +0.27  $\mu\text{m}$

# Ab

Why is the unit of spherical aberration microns--a unit of distance? What distance is being referred to?

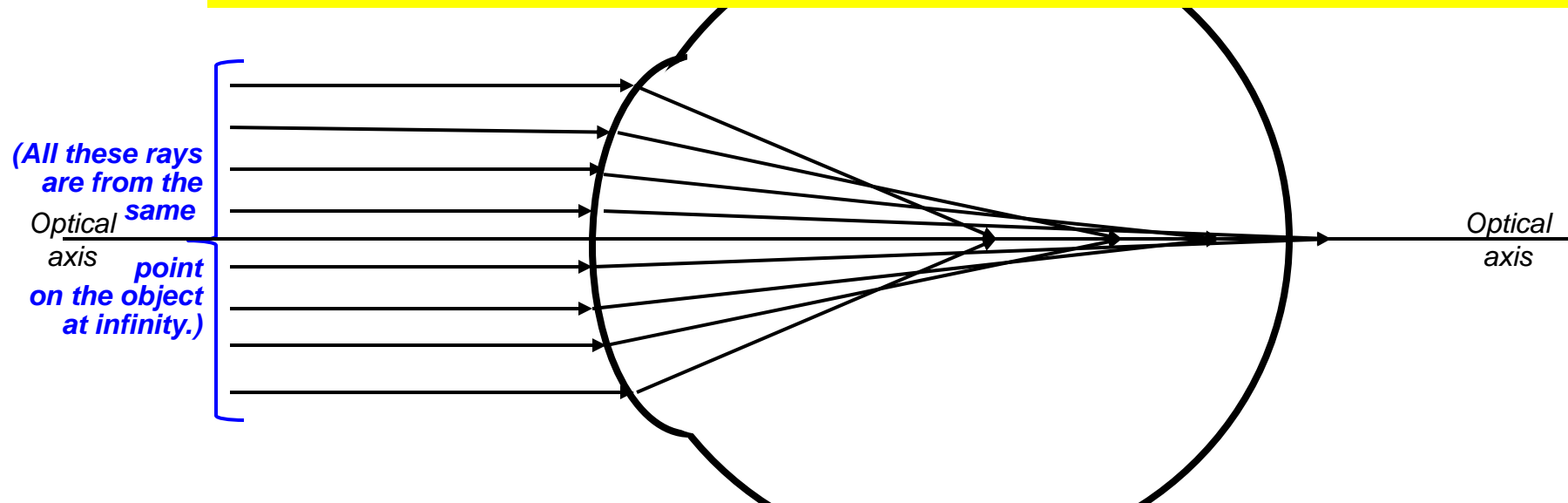


How much spherical aberration does the average human cornea possess?

About **+0.27  $\mu\text{m}$**

Ab

Why is the unit of spherical aberration microns--a unit of distance? What distance is being referred to?  
 It refers to the distance between the location where central rays form a focal point and where the peripheral rays form a focal point

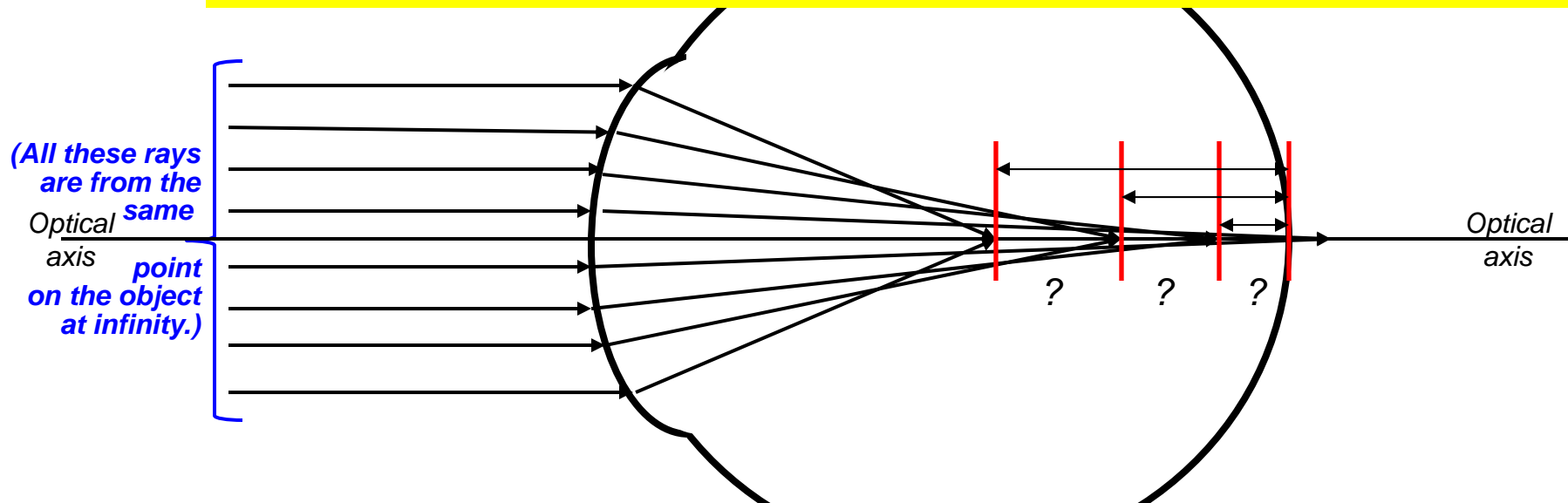


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# Aberrations

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But as can be seen in the figure, the location of the focal point for rays passing through the corneal periphery is a function of 'how peripheral' those rays are. Given this, how can one measure spherical aberration?



How much spherical aberration does the average human cornea possess?

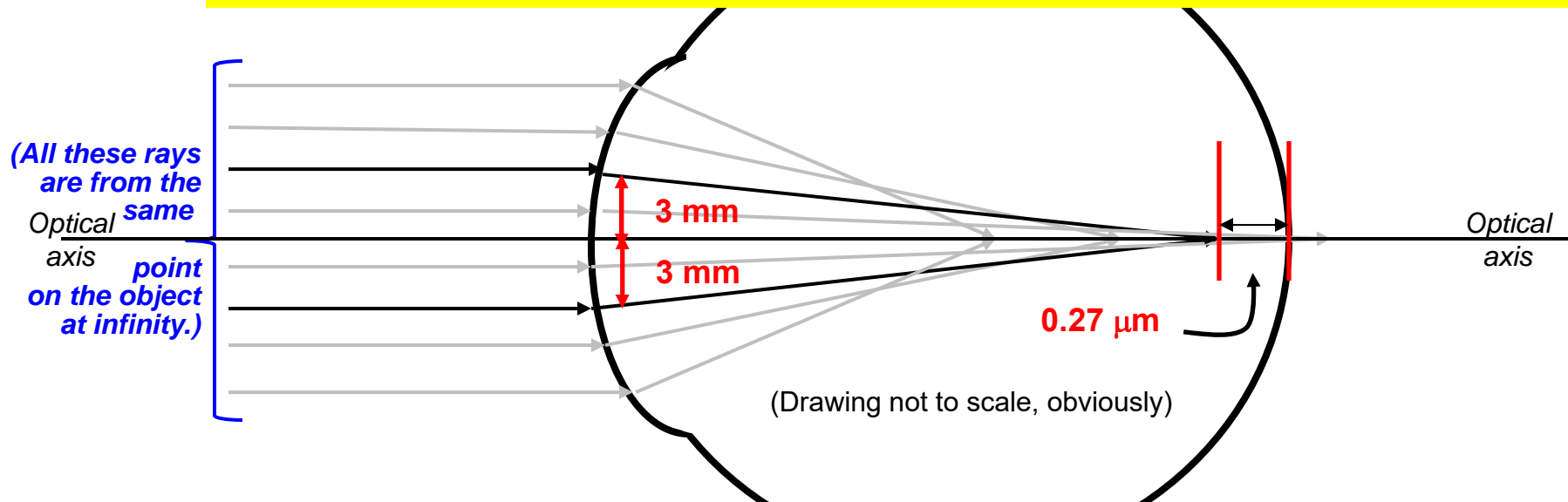
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# Ab

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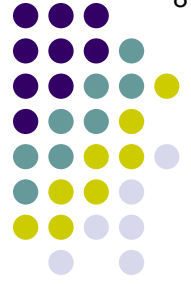
By convention, rays passing through the cornea 6 mm from the optical axis are used



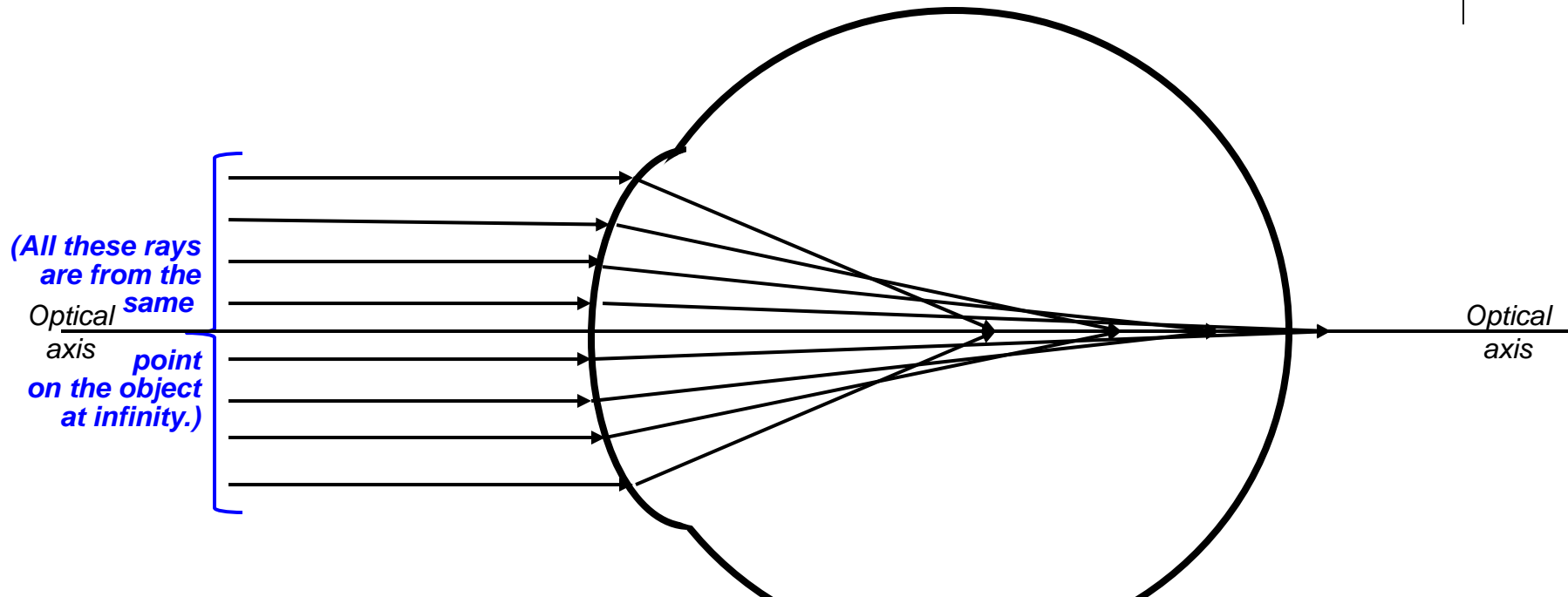
How much spherical aberration does the average human cornea possess?

About +0.27  $\mu\text{m}$



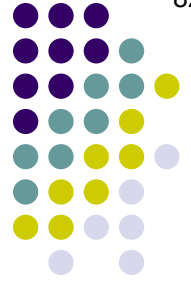


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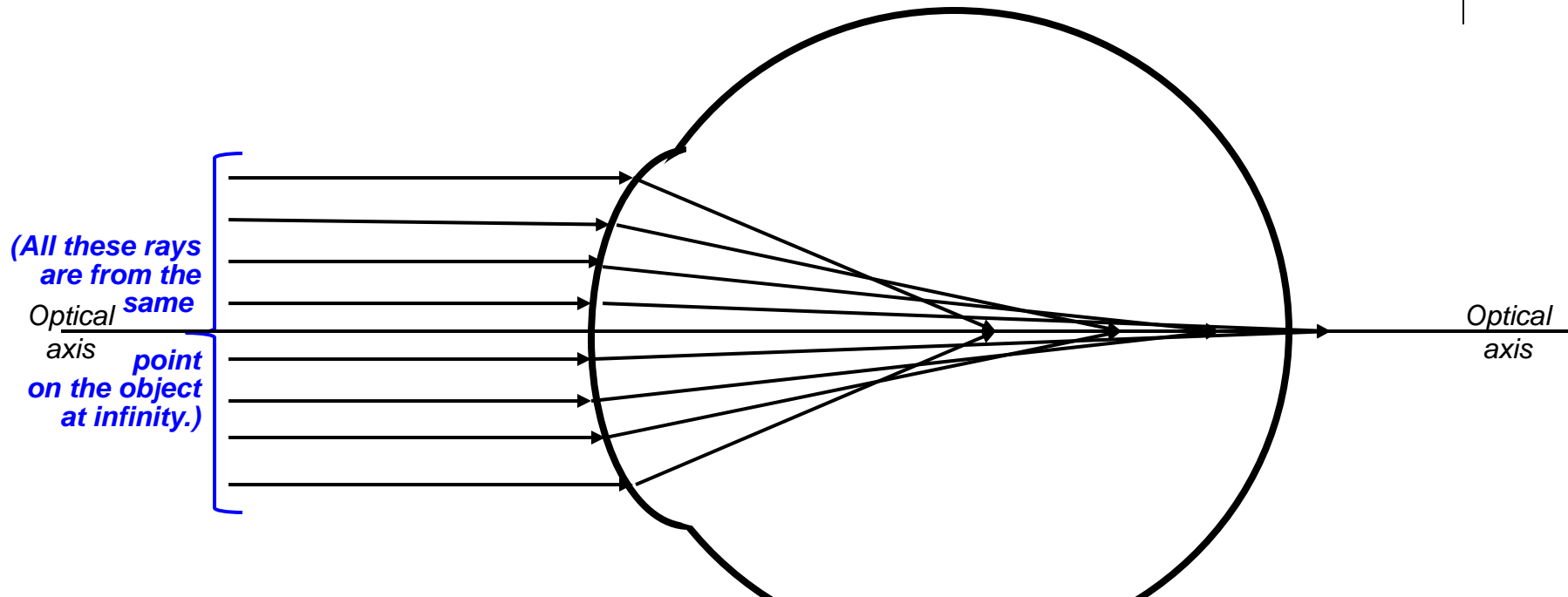


How much spherical aberration does the average human cornea possess?  
About +0.27  $\mu\text{m}$

So this means the cornea possesses **positive** spherical aberration. But the cornea's Q factor is negative. What gives?



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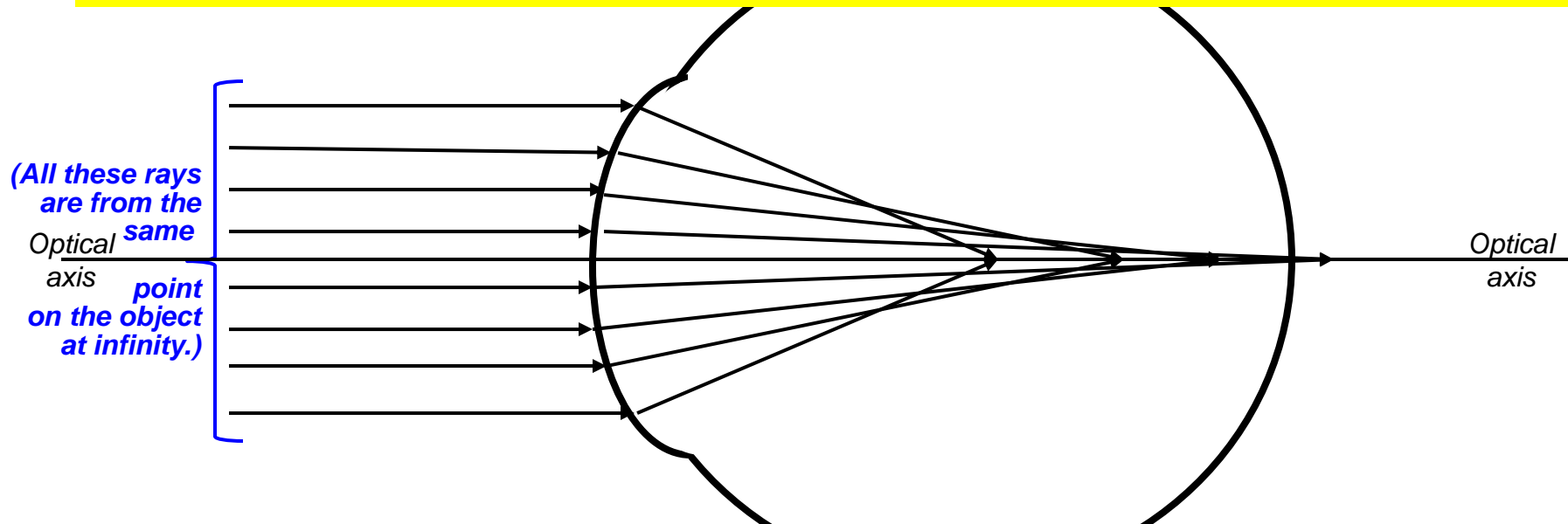


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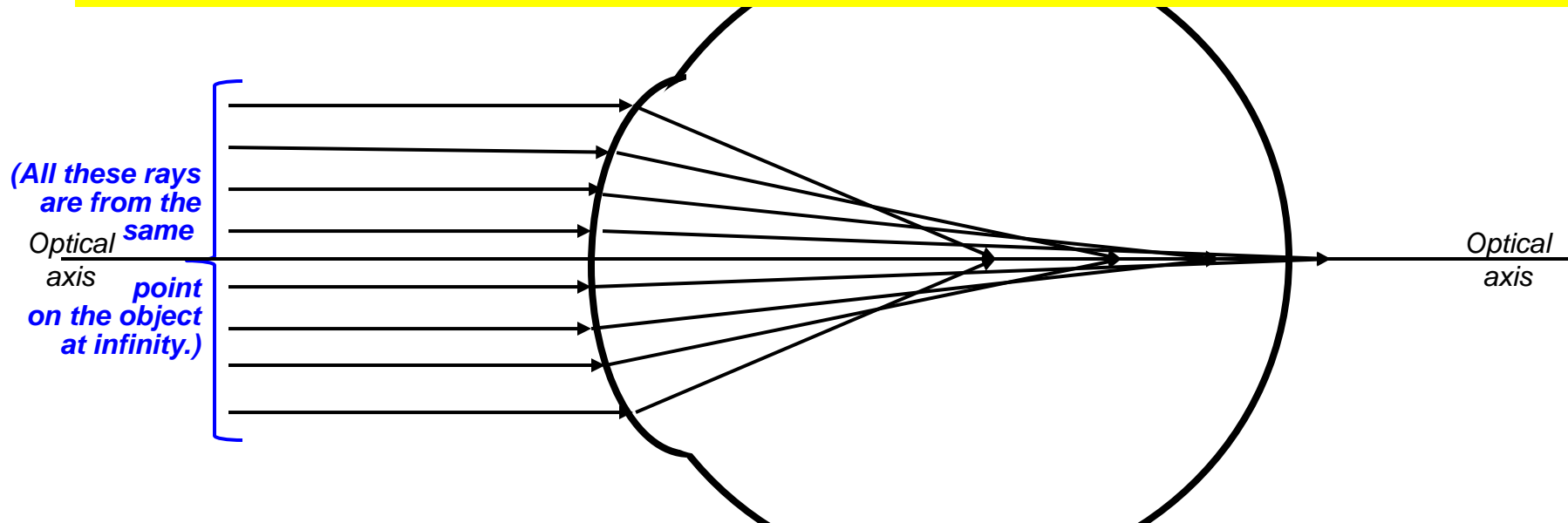


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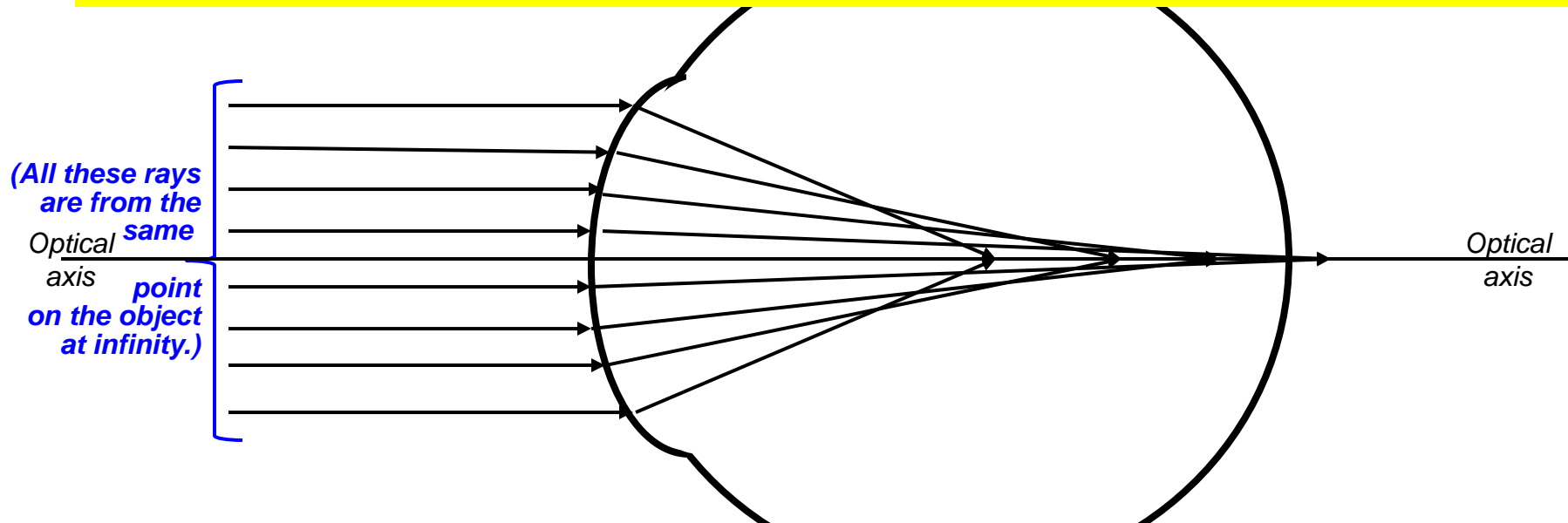
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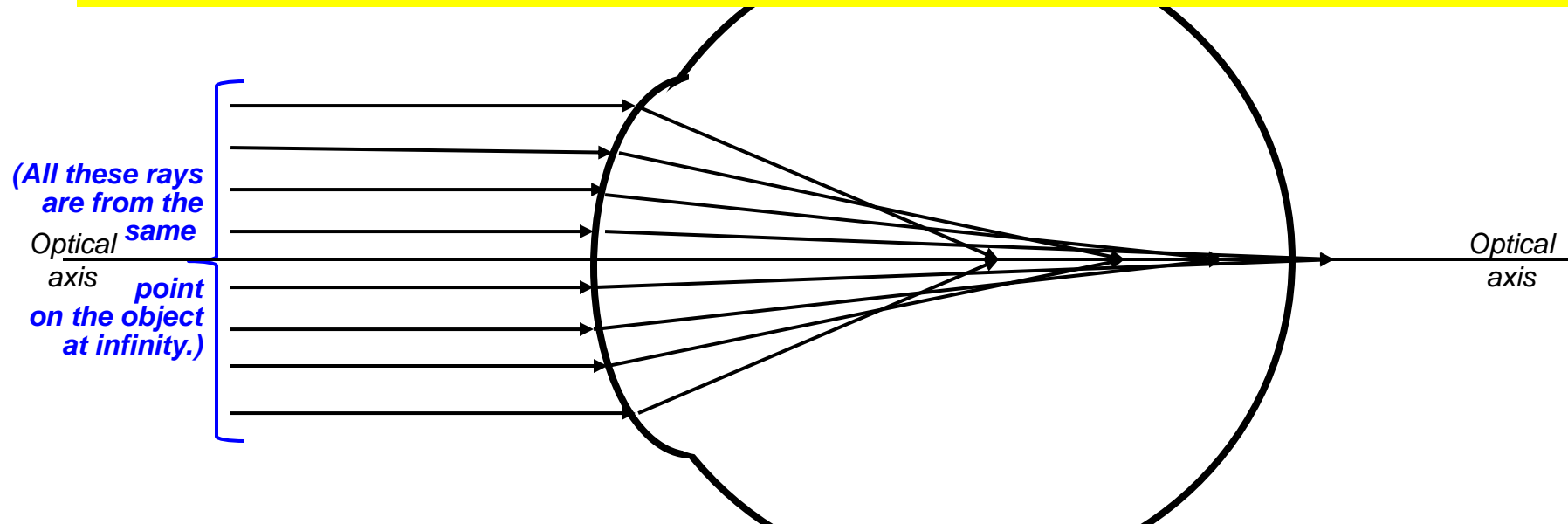
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Recall that the cornea's Q factor is -0.26. What would it be if the cornea had no spherical aberration?  
About -0.52

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Well, no one can say for sure of course. But what **can** be said with certainty is that a Q factor of -0.52 would require a radically different angle between the cornea and the sclera--an angle that could not be achieved given the biomechanics and size of the normal human globe. Thus, a Q factor of -0.52 would require a very radical 're-design' of the globe--and thus of the orbits, and the cranium, and etc.



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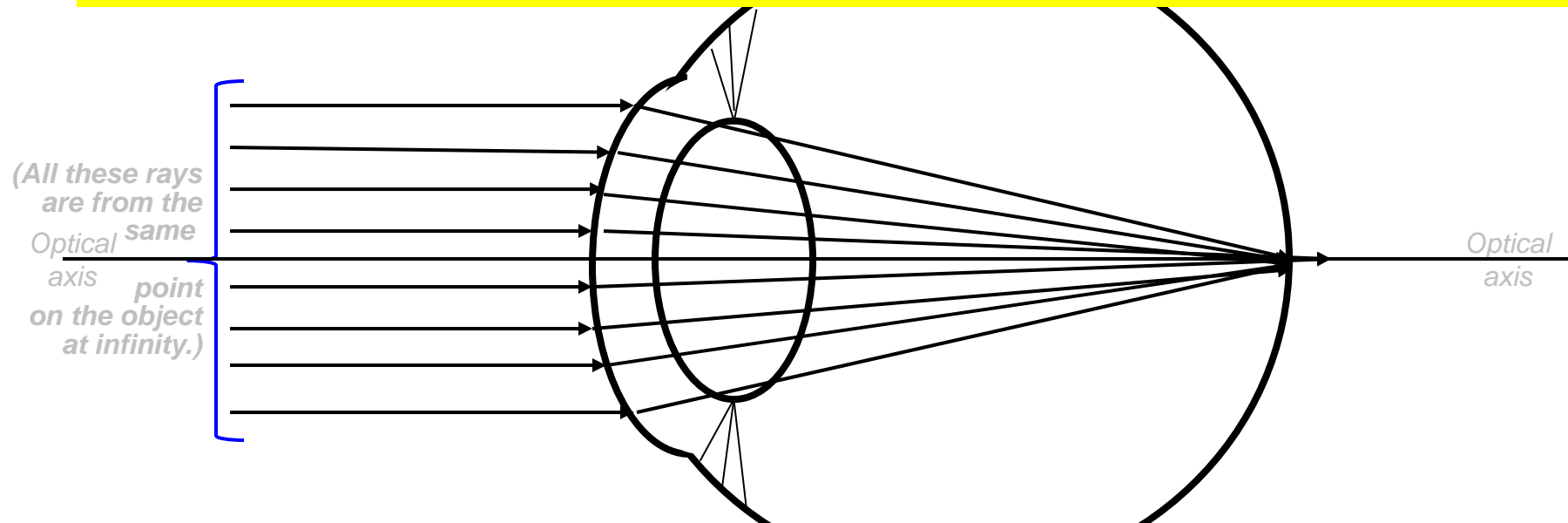
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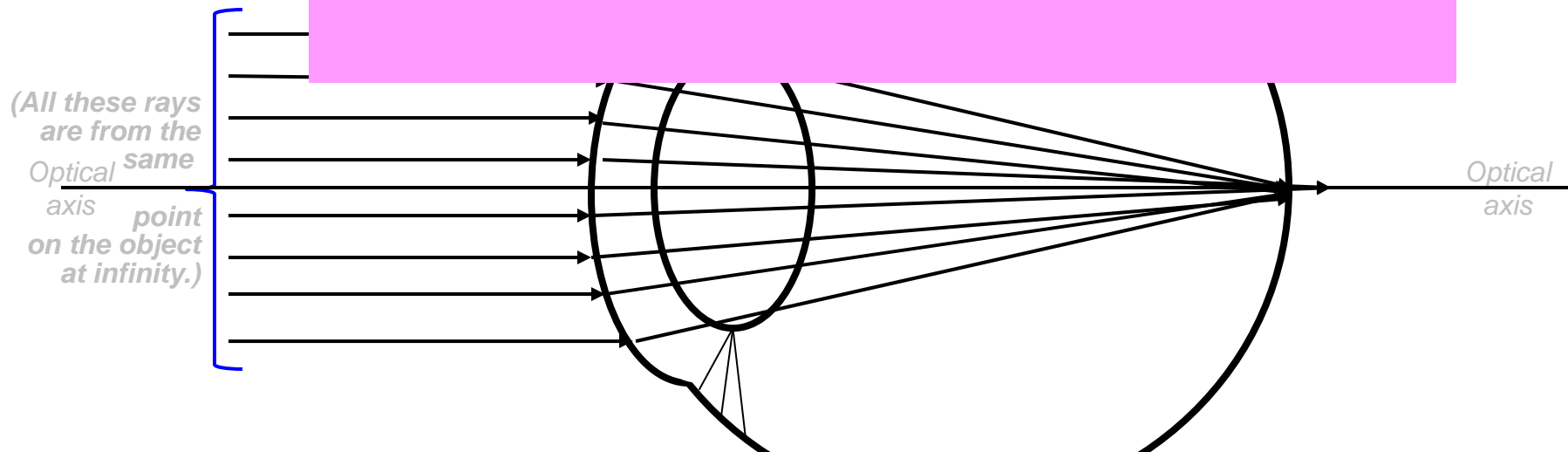
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'Young adult' seems to be emphasized, implying that the Q factor is **not**  $-0.25$  in older adults. What happens to the Q factor of the lens as we age?



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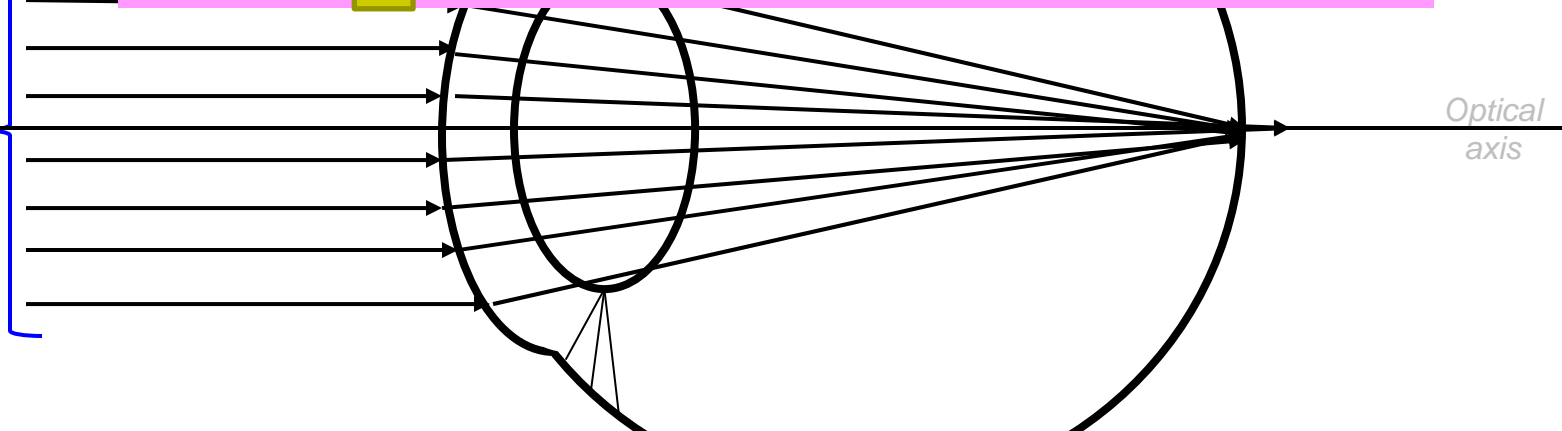
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It becomes progressively  negative, ultimately reaching a value of  at about age

(All these rays are from the same point on the object at infinity.)



How much spherical aberration does the average human cornea possess?  
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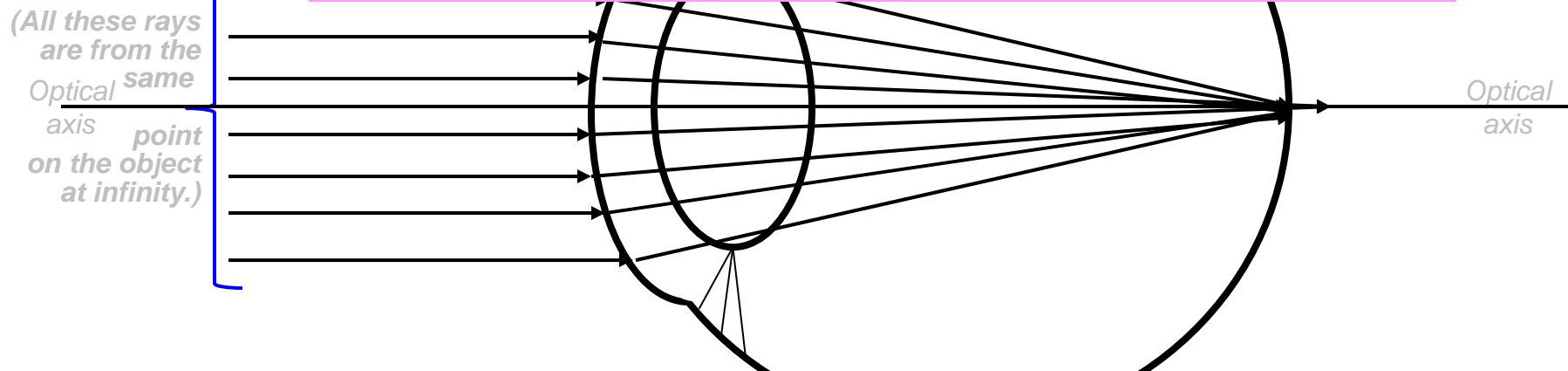
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It becomes progressively less negative, ultimately reaching a value of  $0$  at about age 40



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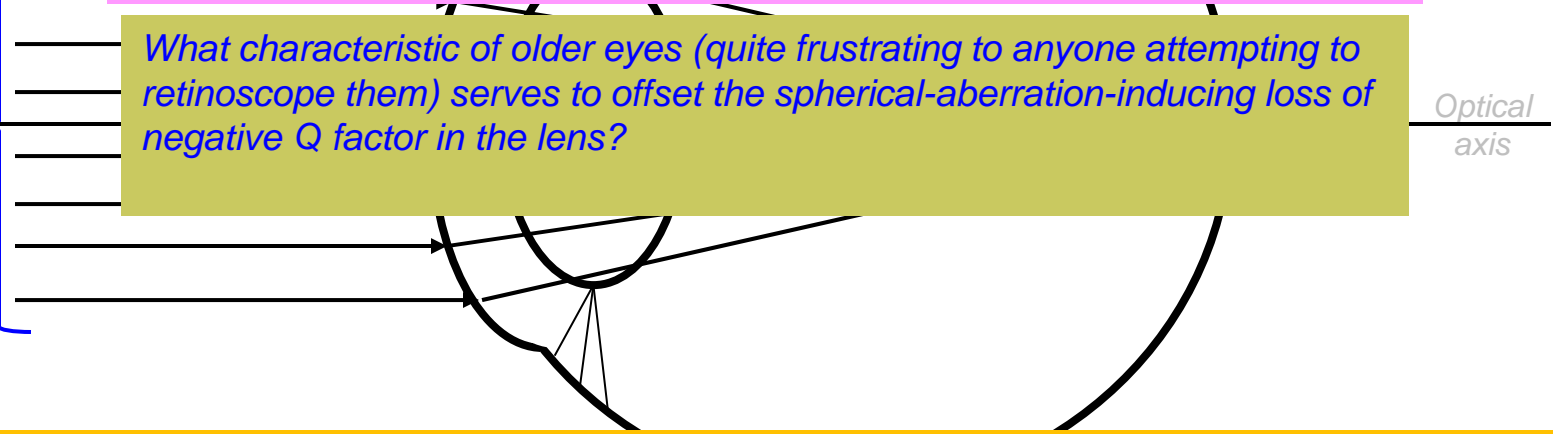
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It becomes progressively less negative, ultimately reaching a value of 0 at about age 40

What characteristic of older eyes (quite frustrating to anyone attempting to retinoscope them) serves to offset the spherical-aberration-inducing loss of negative Q factor in the lens?

(All these rays are from the same point on the object at infinity.)



How much spherical aberration does the average human cornea possess?  
About +0.27 μm

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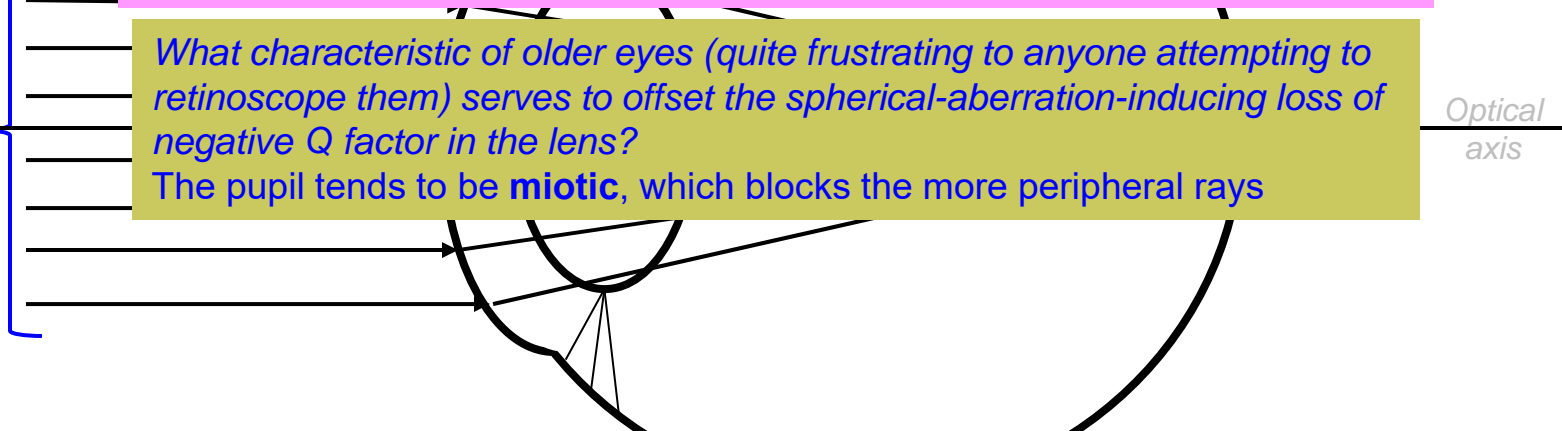
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It becomes progressively less negative, ultimately reaching a value of 0 at about age 40

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The pupil tends to be **miotic**, which blocks the more peripheral rays

(All these rays are from the same point on the object at infinity.)



Optical axis

How much spherical aberration does the average human cornea possess?  
About +0.27  $\mu\text{m}$

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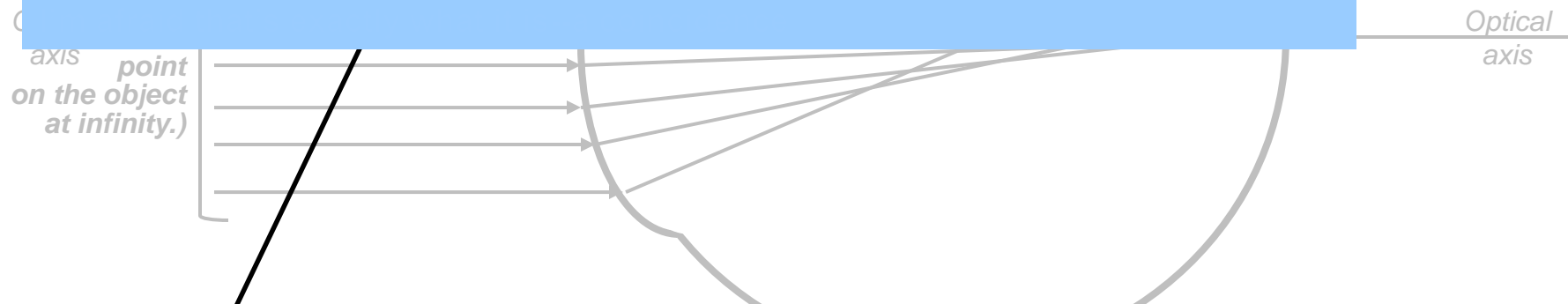
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Well, no one can say for sure of course. But what **can** be said with certainty is that a Q factor of -0.52 would require a radically different angle between the cornea and the sclera--an angle that could not be achieved given the biomechanics and size of the normal human globe. Thus, a Q factor of -0.52 would require a very radical 're-design' of the globe--and thus of the orbits, and the cranium, and etc.

(A) So, the average cornea has a spherical aberration of  $+0.27 \mu\text{m}$  and a Q factor of -0.26. Surely it's not a coincidence that these numbers almost perfectly cancel one another out?



How much spherical aberration does the average human cornea possess? About **+0.27**  $\mu\text{m}$

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 Surely it's not a coincidence that these numbers almost perfectly cancel one another out?  
 I'm afraid that's exactly what it is--a coincidence

axis point  
 on the object  
 at infinity.)

Optical  
 axis

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- A mathematical system for describing and systematizing optical aberrations

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  - A series of ; when combined, they can account for the overall contour of a wavefront



# Aberrations: *Zernike Polynomials*



- A mathematical system for describing and systematizing optical aberrations
  - A series of **shapes**; when combined, they can account for the overall contour of a wavefront

In other words: Any wavefront, no matter how complex its shape, can be 'broken down' into a set of Zernike shapes

# Aberrations: *Zernike Polynomials*



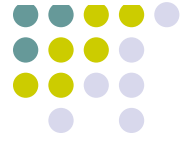
- A mathematical system for describing and systematizing optical aberrations
  - A series of **shapes**; when combined, they can account for the overall contour of a wavefront
  - The series starts simple, and progresses systematically through a series of ever-more complex shapes

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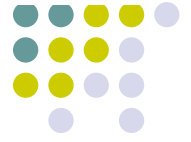
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# Aberrations: *Zernike Polynomials*



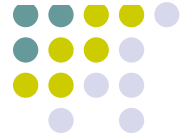
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# Aberrations: *Zernike Polynomials*



- A mathematical system for describing and systematizing optical aberrations
  - A series of **shapes**; when combined, they can account for the overall contour of a wavefront
  - The series starts simple, and progresses systematically through a series of ever-more complex shapes
    - The progression is described by the **order** of a given shape
      - Order start at **zero**, and goes up from there

# Aberrations: Zernike Polynomials

**Zernike Polynomial Order**

**New Lingo**

**Shape**



2<sup>nd</sup> ←————→ Defocus  
*Positive* defocus  
*Negative* defocus

2<sup>nd</sup> ←————→ Cylinder

*Intentionally out of order!  
 While coma and trefoil  
 are of lower-order than  
 spherical aberration, SA  
 is clinically more  
 significant.*

4<sup>th</sup> ←————→ Spherical  
 aberration

3<sup>rd</sup> ←————→ Coma

3<sup>rd</sup> ←————→ Trefoil

(Others, less  
 clinically relevant)

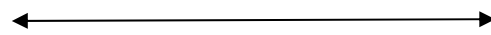
# Aberrations: Zernike Polynomials

**Zernike Polynomial Order**

**New Lingo**

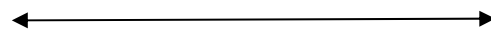
**Shape**

0<sup>th</sup>



?

1<sup>st</sup>



?

Wait--you said ZPs start at zero and go up from there. What are the 0<sup>th</sup> and 1<sup>st</sup>-order aberrations?

Defocus

Positive defocus

Negative defocus

2<sup>nd</sup>



Cylinder

4<sup>th</sup>



Spherical aberration

3<sup>rd</sup>



Coma

3<sup>rd</sup>



Trefoil

(Others, less clinically relevant)

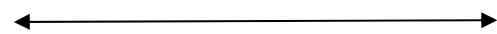




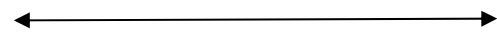
# Aberrations: Zernike Polynomials

## Zernike Polynomial Order

## New Lingo

0<sup>th</sup>

'Piston'

1<sup>st</sup>

'Prism'

Wait--you said ZPs start at zero and go up from there. What are the 0<sup>th</sup> and 1<sup>st</sup>-order aberrations?

Defocus

Positive defocus

Negative defocus

2<sup>nd</sup>

Cylinder

4<sup>th</sup>

Spherical aberration

3<sup>rd</sup>

Coma

3<sup>rd</sup>

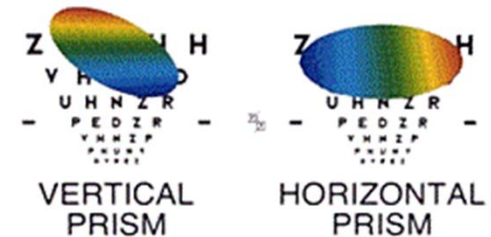
Trefoil

(Others, less clinically relevant)

## Shape



PISTON



VERTICAL PRISM

HORIZONTAL PRISM

(aka *tip* and *tilt*)

# Aberrations: Zernike Polynomials

## Zernike Polynomial Order

## New Lingo

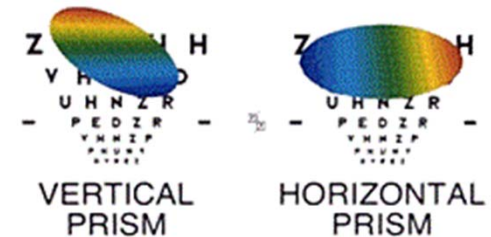
0 <sup>th</sup>	←————→	'Piston'
1 <sup>st</sup>	←————→	'Prism'
2 <sup>nd</sup>	←————→	Defocus Positive defocus Negative defocus
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3 <sup>rd</sup>	←————→	Trefoil

(Others, less clinically relevant)

## Shape



PISTON



(aka *tip* and *tilt*)

Why haven't we talked about piston and prism?

# Aberrations: Zernike Polynomials

## Zernike Polynomial Order

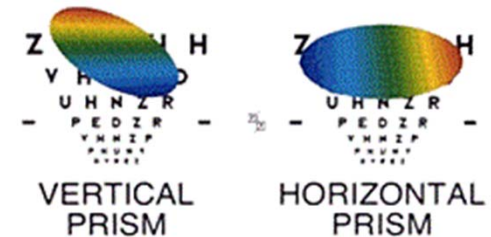
## New Lingo

## Shape

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1 <sup>st</sup>	←————→	'Prism'
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4 <sup>th</sup>	←————→	Spherical aberration
3 <sup>rd</sup>	←————→	Coma
3 <sup>rd</sup>	←————→	Trefoil



PISTON



VERTICAL PRISM

HORIZONTAL PRISM

(aka *tip* and *tilt*)

*Why haven't we talked about piston and prism?*  
Because while they are technically aberrations in the ZP system, they do not degrade the quality of the visual image, and are thus **clinically irrelevant**

(Others, less clinically relevant)

# Aberrations: Zernike Polynomials

## Zernike Polynomial Order

## New Lingo

## Shape

0 <sup>th</sup>	←	→	'Piston'
1 <sup>st</sup>	←	→	'Prism'
2 <sup>nd</sup>	←	→	Defocus
Myopia	←	=	Positive defocus
Hyperopia	←	=	Negative defocus

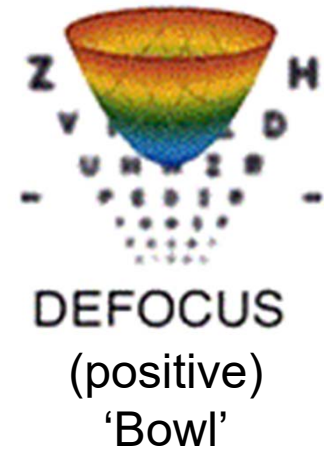
2<sup>nd</sup> ← → Cylinder

4<sup>th</sup> ← → Spherical aberration

3<sup>rd</sup> ← → Coma

3<sup>rd</sup> ← → Trefoil

(Others, less clinically relevant)



# Aberrations: Zernike Polynomials

## Zernike Polynomial Order

## New Lingo

## Shape

0 <sup>th</sup>	←————→	'Piston'
1 <sup>st</sup>	←————→	'Prism'
2 <sup>nd</sup>	←————→	Defocus
Myopia	←———— = ———→	Positive defocus
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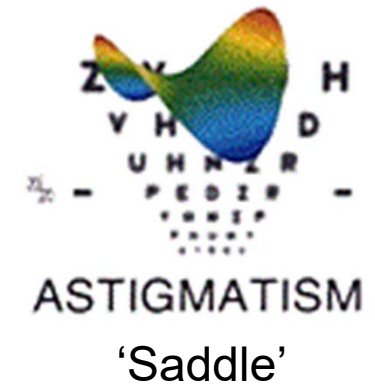
2<sup>nd</sup> ←————→ Cylinder

4<sup>th</sup> ←————→ Spherical aberration

3<sup>rd</sup> ←————→ Coma

3<sup>rd</sup> ←————→ Trefoil

(Others, less clinically relevant)



# Aberrations: Zernike Polynomials

## Zernike Polynomial Order

## New Lingo

## Shape

0 <sup>th</sup>	←————→	'Piston'
1 <sup>st</sup>	←————→	'Prism'
2 <sup>nd</sup>	←————→	Defocus
Myopia	←———— = ———→	Positive defocus
Hyperopia	←———— = ———→	Negative defocus

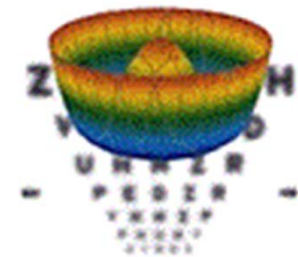
2<sup>nd</sup> ←————→ Cylinder

4<sup>th</sup> ←————→ Spherical aberration

3<sup>rd</sup> ←————→ Coma

3<sup>rd</sup> ←————→ Trefoil

(Others, less clinically relevant)



SPHERICAL ABERRATION

'Bundt cake pan'



# Aberrations: Zernike Polynomials

## Zernike Polynomial Order

## New Lingo

## Shape

0 <sup>th</sup>	←————→	'Piston'
1 <sup>st</sup>	←————→	'Prism'
2 <sup>nd</sup>	←————→	Defocus
Myopia	←———— = ———→	Positive defocus
Hyperopia	←———— = ———→	Negative defocus

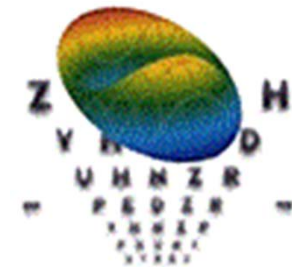
2<sup>nd</sup> ←————→ Cylinder

4<sup>th</sup> ←————→ Spherical aberration

3<sup>rd</sup> ←————→ Coma

3<sup>rd</sup> ←————→ Trefoil

(Others, less clinically relevant)



COMA  
(vertical)

'Recliner'

# Aberrations: Zernike Polynomials

## Zernike Polynomial Order

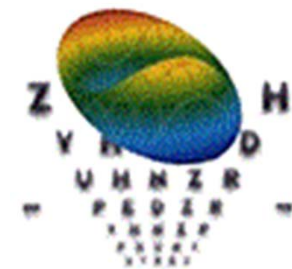
## New Lingo

## Shape

0 <sup>th</sup>	←————→	'Piston'
1 <sup>st</sup>	←————→	'Prism'
2 <sup>nd</sup>	←————→	Defocus
Myopia	←———— = ———→	<i>Positive</i> defocus
Hyperopia	←———— = ———→	<i>Negative</i> defocus

*In layman's terms, what is the problem with the incoming light that leads to the higher-order aberration of coma?*

4 <sup>th</sup>	←————→	Spherical aberration
3 <sup>rd</sup>	←————→	Coma
3 <sup>rd</sup>	←————→	Trefoil
		(Others, less clinically relevant)



COMA  
(vertical)

'Recliner'



# Aberrations: Zernike Polynomials

## Zernike Polynomial Order

## New Lingo

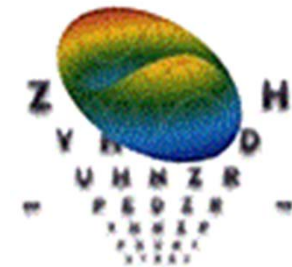
## Shape

0 <sup>th</sup>	←————→	'Piston'
1 <sup>st</sup>	←————→	'Prism'
2 <sup>nd</sup>	←————→	Defocus
Myopia	←———— = ———→	Positive defocus
Hyperopia	←———— = ———→	Negative defocus

*In layman's terms, what is the problem with the incoming light that leads to the higher-order aberration of coma? Coma occurs when **the source of the rays is located off the optical axis**. Because of its location, light from this source reaches one side of the pupil before the other. The result is that rays entering the 'near' side and the 'far' side of the pupil are focused not at as a single point, but rather as a point with a 'smear' attached (not unlike a comet's tail, which is why the words share a root).*

4 <sup>th</sup>	←————→	Spherical aberration
3 <sup>rd</sup>	←————→	Coma
3 <sup>rd</sup>	←————→	Trefoil

(Others, less clinically relevant)



COMA  
(vertical)

'Recliner'

# Aberrations: Zernike Polynomials

## Zernike Polynomial Order

## New Lingo

## Shape

0 <sup>th</sup>	←————→	'Piston'
1 <sup>st</sup>	←————→	'Prism'
2 <sup>nd</sup>	←————→	Defocus
Myopia	←———— = ———→	Positive defocus
Hyperopia	←———— = ———→	Negative defocus

2<sup>nd</sup> ←————→ Cylinder

4<sup>th</sup> ←————→ Spherical aberration

3<sup>rd</sup> ←————→ Coma

3<sup>rd</sup> ←————→ Trefoil

(Others, less clinically relevant)



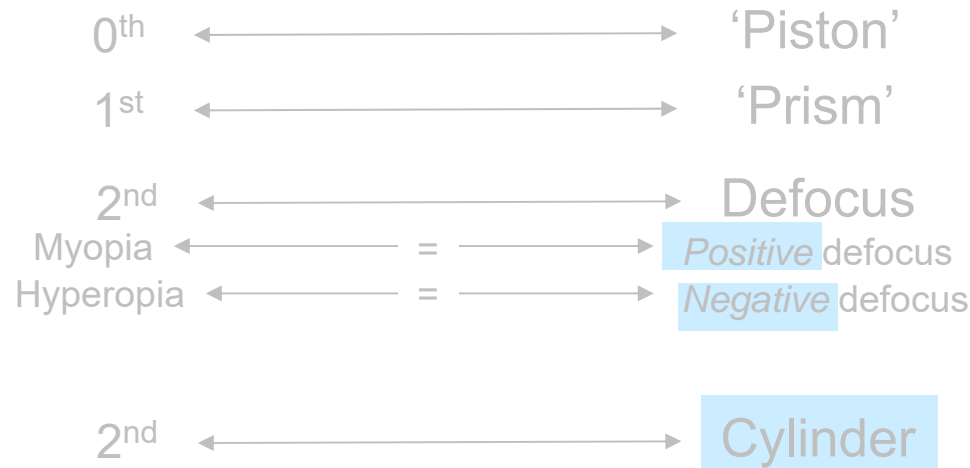
TREFOIL  
'Three peaks'

# Aberrations: Zernike Polynomials

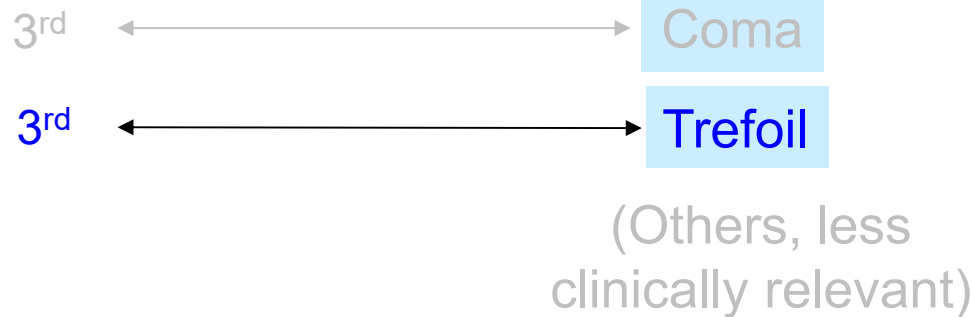
## Zernike Polynomial Order

## New Lingo

## Shape



*In layman's terms, what is the problem with the incoming light that leads to trefoil?*



TREFOIL  
'Three peaks'

# Aberrations: Zernike Polynomials

## Zernike Polynomial Order

## New Lingo

## Shape

0 <sup>th</sup>	←————→	'Piston'
1 <sup>st</sup>	←————→	'Prism'
2 <sup>nd</sup>	←————→	Defocus
Myopia	←———— = ———→	Positive defocus
Hyperopia	←———— = ———→	Negative defocus
2 <sup>nd</sup>	←————→	Cylinder

*In layman's terms, what is the problem with the incoming light that leads to trefoil?*

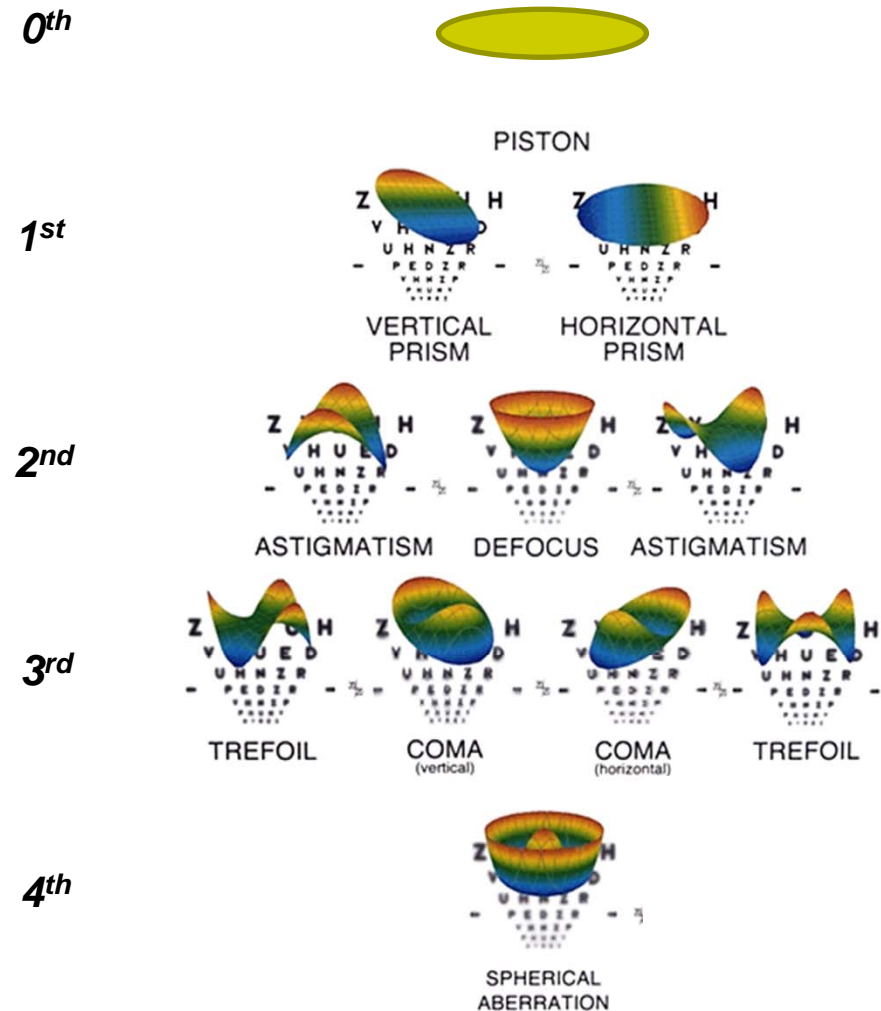
Happily, the BCSC books do not spend much time on trefoil, so you don't need to know much more about it that 1) the fact that it is a clinically significant (albeit modestly so) higher-order aberration, and 2) to be able to recognize its wavefront analysis profile (more on this later).

3 <sup>rd</sup>	←————→	Coma
3 <sup>rd</sup>	←————→	Trefoil
		(Others, less clinically relevant)



TREFOIL  
'Three peaks'

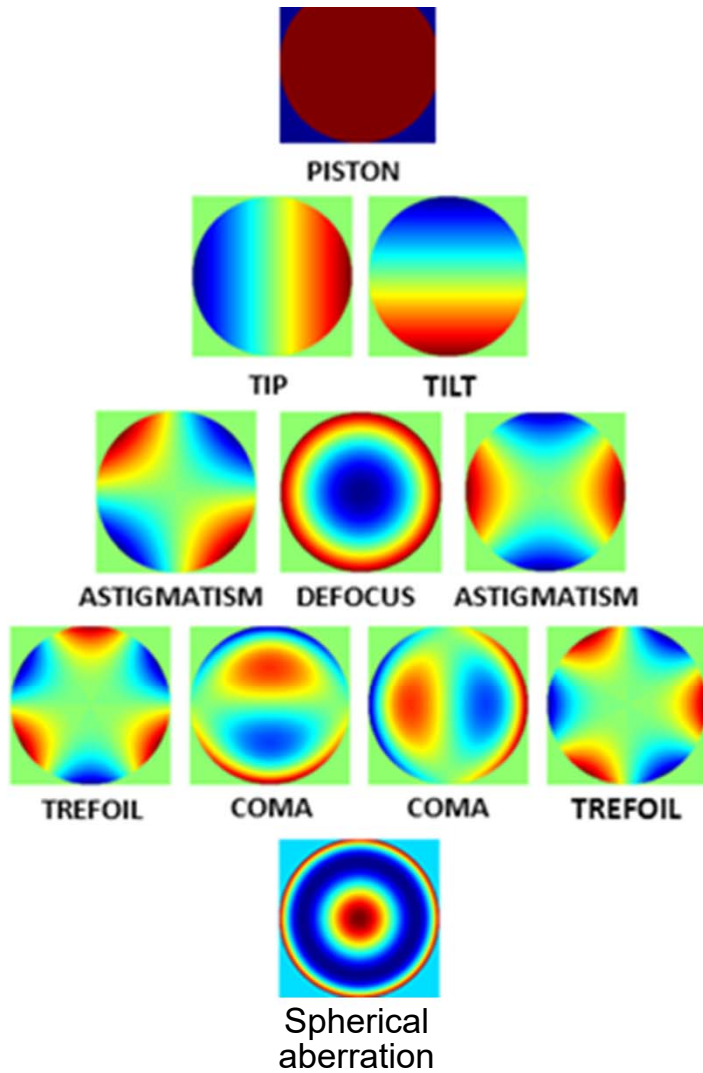
# Aberrations: Zernike Polynomials



*In addition to the 3-D  
representation of each shape...*

*3-D representation*

# Aberrations: Zernike Polynomials



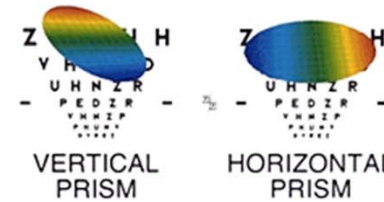
2-D representation

0<sup>th</sup>

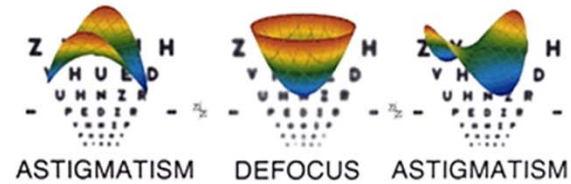


PISTON

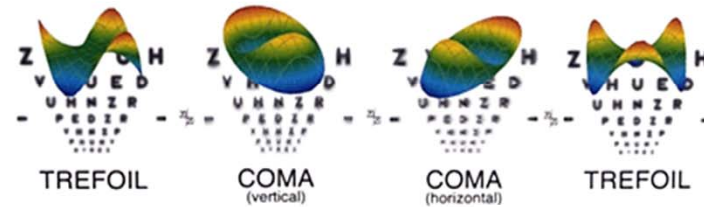
1<sup>st</sup>



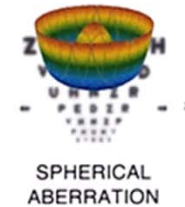
2<sup>nd</sup>



3<sup>rd</sup>



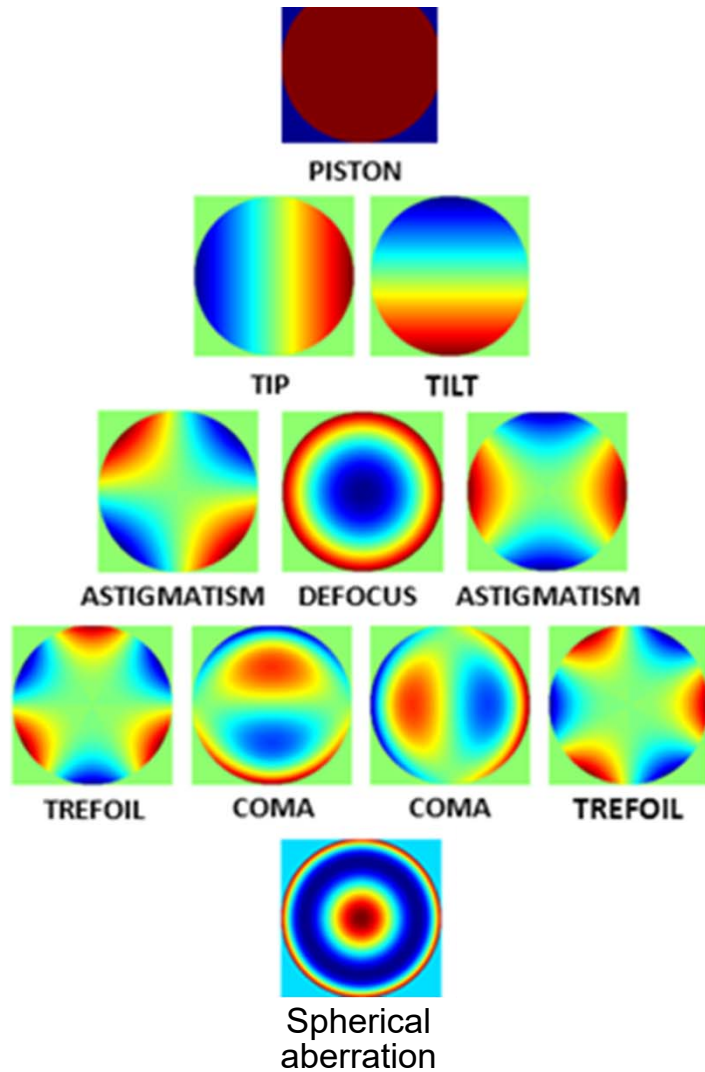
4<sup>th</sup>



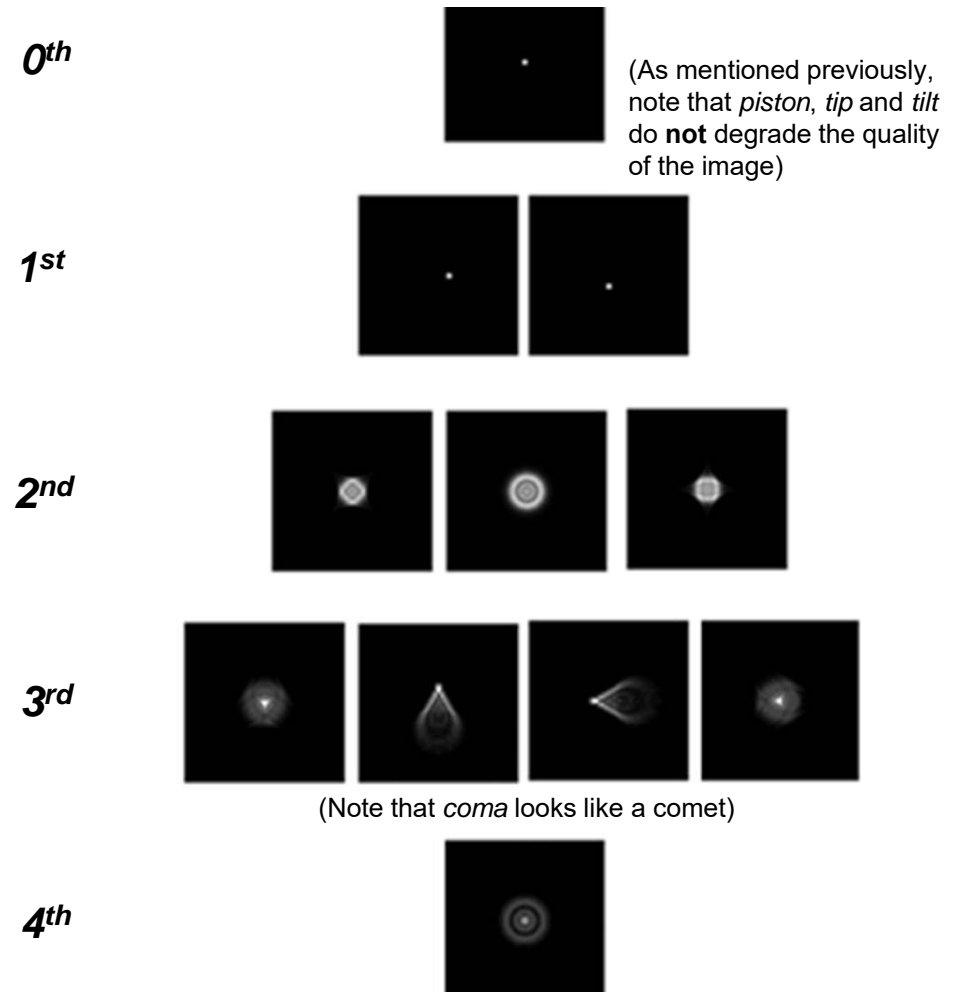
3-D representation

*In addition to the 3-D representation of each shape...  
You need to be able to recognize its 2-D image as well!*

# Aberrations: Zernike Polynomials

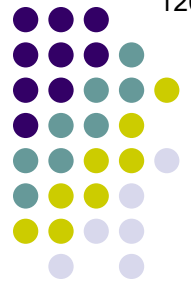


2-D representation



Optical effect of each on a point-image

# Aberrations



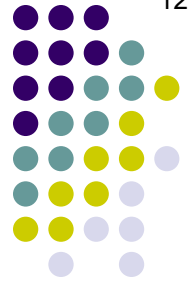
- two-words *keratorefractive surgery* did away with the second problem

Essentially, *irregular astigmatism* was a wastebasket term for aberrations that:

~~1) could not be measured in the clinic; and~~

~~2) could not be corrected even if they had been measurable~~





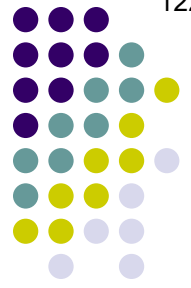
# Aberrations

- *Wavefront-guided* keratorefractive surgery did away with the second problem

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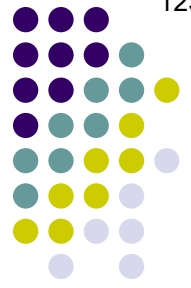
# Aberrations

- *Wavefront-guided* keratorefractive surgery did away with the second problem
  - Allows surgeons to correct/minimize the higher-order aberrations identified via wavefront analysis

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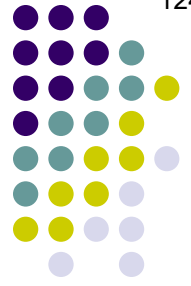
# Aberrations

- *Wavefront-guided* keratorefractive surgery did away with the second problem
  - Allows surgeons to correct/minimize the higher-order aberrations identified via wavefront analysis
  - That said, precisely *which* higher-order aberrations should be corrected (and to what degree) is an unsettled issue at this time

Essentially, *irregular astigmatism* was a wastebasket term for aberrations that:

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# Aberrations

- **Wavefront-guided** keratorefractive surgery did away with the second problem

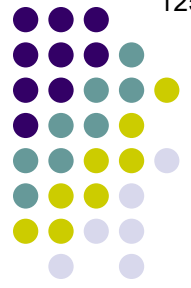
How does a wavefront-guided ablative procedure differ from a wavefront-optimized ablative procedure?

unsettled issue at this time

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# Aberrations

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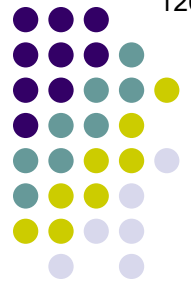
*How does a wavefront-guided ablative procedure differ from a wavefront-optimized ablative procedure?*  
In a wavefront-guided procedure, the information obtained from wavefront analysis is used to correct certain higher-order aberrations along with the more-important lower-order (ie, sphere and cyl) aberrations.

unsettled issue at this time

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# Aberrations

- **Wavefront-guided** keratorefractive surgery did away with the second problem

*How does a wavefront-guided ablative procedure differ from a wavefront-optimized ablative procedure?*

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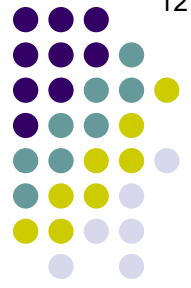
In contrast, a wavefront-optimized procedure corrects only sphere and cylinder; no attempt is made to address higher-order aberrations. Instead, the wavefront information is used to 'fine tune' the ablation in such a way as to minimize the *creation* or *exacerbation* of higher-order aberrations.

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# Aberrations

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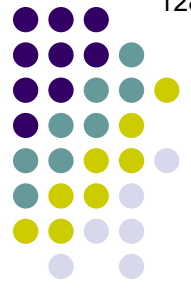
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*How does a wavefront-optimized ablative procedure differ from a so-called conventional ablative procedure?*

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# Aberrations

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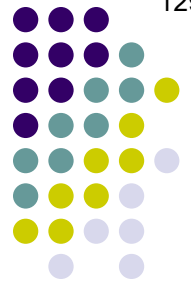
*How does a wavefront-optimized ablative procedure differ from a so-called conventional ablative procedure?*  
 In a conventional procedure, the ablation is determined solely by a standard phoropter-based refraction obtained by the surgeon during pre-op. That is, the phoropter-based refraction is used to program the correction of sphere and cyl. In a wavefront-optimized ablation, the wavefront analysis is used to program the correction of sphere and cyl.

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# Aberrations

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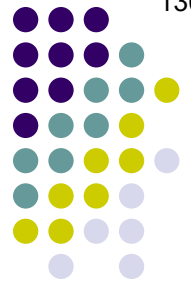
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How does a **wavefront-optimized** ablative procedure differ from a so-called **conventional ablative** procedure?

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*In addition to wavefront-guided, wavefront-optimized and conventional approaches to ablation, there is one more. What is it?*

- ~~1) could not be measured in the clinic; and~~
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# Aberrations

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How does a **wavefront-guided** ablative procedure differ from a **wavefront-optimized** ablative procedure?

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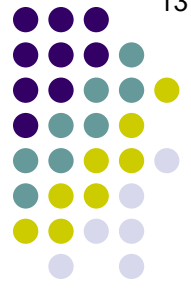
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In addition to **wavefront-guided**, **wavefront-optimized** and **conventional** approaches to ablation, there is one more. What is it?

**Topography-guided**. For details on this and the other three approaches, see the slide set on *Photoablative Refractive Surgery*.

- ~~1) could not be measured in the clinic; and~~
- ~~2) could not be corrected even if they had been measurable~~



# Aberrations

- **Wavefront-guided** keratorefractive surgery did away with the second problem

How does a **wavefront-guided** ablative procedure differ from a **wavefront-optimized** ablative procedure? In a wavefront-guided procedure, the information obtained from wavefront analysis is used to correct certain higher-order aberrations along with the more-important lower-order (ie, sphere and cyl) aberrations.

In contrast, a wavefront-optimized procedure corrects only sphere and cylinder; no attempt is made to use wavefront information to 'fine tune' the ablation in higher-order aberrations.

So, there are *four basic techniques* for performing keratoablative refractive surgery

How does a wavefront-optimized ablative procedure differ from a so-called **conventional ablative** procedure?

In a conventional procedure, the ablation is determined solely by a standard phoropter based refraction obtained by the surgeon during pre-op. That is, the phoropter-based refraction is used to program the correction of sphere and cyl. In a wavefront-optimized ablation, the wavefront analysis is used to program the correction of sphere and cyl.

In addition to wavefront-guided, wavefront-optimized and conventional approaches to ablation, there is one more. What is it?

**Topography-guided** For details on this and the other three approaches, see the slide set on *Photorefractive Keratectomy*.

~~1) could not be measured in the clinic; and~~

~~2) could not be corrected even if they had been measurable~~